

CONTRIBUTIONS TO THE EMPIRICAL ANALYSIS OF ADDICTIVE BEHAVIORS

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I will present a discussion of three papers which focus on empirical methods to study addictive behaviors, narrowly defined in the sense that I mean methods to measure addiction itself rather than the broader literature on all aspects of addictive goods. Two of these papers were published a few years ago, the other is a current working paper. The remainder of this document is copies of the papers.

**Auld, M. C.** and Grootendorst, P. (2004) An empirical analysis of milk addiction. *Journal of Health Economics* 23(6):1117-1133.

**Abstract.** We show the estimable rational addiction model tends to yield spurious evidence in favor of the rational addiction hypothesis when aggregate data are used. Direct application of the canonical model yields results seemingly indicative that non-addictive commodities such as milk, eggs, and oranges are rationally addictive. Monte Carlo simulation demonstrates that such results are likely to obtain whenever the commodity under scrutiny exhibits high serial correlation, or when even a small amount of the variation in prices is endogenous, or when overidentified instrumental variables estimators are used, or when commonly imposed restrictions are employed. We conclude that time-series data will often be insufficient to differentiate rational addiction from serial correlation in the consumption series.

**Auld, M. C.** and Zarrabi, M. (2009) Long term effects of tobacco taxes faced by adolescents. Manuscript (submitted to *Health Economics*).

**Abstract.** We estimate the effects of tobacco prices faced in adolescence on smoking patterns of adults aged 19 to 40. Use of large repeated cross-sectional surveys in Canada in the early 2000s allows us to exploit substantial and plausibly exogenous tax changes across time and regions which occurred roughly a decade earlier. Results from a variety of econometric techniques suggest that there is a small but detectable long run effect of price faced during adolescence. A 10% increase in prices faced during adolescence, holding contemporaneous prices constant, leads to at most a 1% reduction in smoking propensity and intensity in early to mid adulthood, and we cannot reliably reject the hypothesis that the long term effect is zero. The results are sensitive to specification and to how price during adolescence is measured.

**Auld, M. C.** (2005) Causal effect of early initiation on adolescent smoking patterns. *Canadian Journal of Economics* 38(3):709-34.

**Abstract.** A key concern in policy debates over youth smoking is whether preventing children from smoking will stop them from smoking as adults or merely defer initiation into smoking. This paper estimates determinants of smoking status in late adolescence viewing smoking at age 14 as an endogenous treatment on subsequent smoking. This approach disentangles causation from unobserved heterogeneity and allows addictiveness to vary across individuals. Exploiting large tax changes across time and across regions in Canada in the early 1990s, the estimated model suggests that smoking is highly addictive for the average youth but less so for youths who actually do initiate early or who are likely to be induced to initiate early at the margin. Thus, policies that deter initiation will reduce eventual smoking rates, but not by as large a magnitude as conventional econometric models might suggest.



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## An empirical analysis of milk addiction

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### Abstract

We show the estimable rational addiction model tends to yield spurious evidence in favor of the rational addiction hypothesis when aggregate data are used. Direct application of the canonical model yields results seemingly indicative that non-addictive commodities such as milk, eggs, and oranges are rationally addictive. Monte Carlo simulation demonstrates that such results are likely to obtain whenever the commodity under scrutiny exhibits high serial correlation, or when even a small amount of the variation in prices is endogenous, or when overidentified instrumental variables estimators are used, or when commonly imposed restrictions are employed. We conclude that time-series data will often be insufficient to differentiate rational addiction from serial correlation in the consumption series.

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### 1. Introduction

A large literature has arisen following Becker and Murphy's (1988) theory of rational addiction. The model has been implemented empirically to study numerous activities, including use of drugs such as tobacco, alcohol, cocaine, opium, and caffeine, and activities such as gambling, cinema, and eating.<sup>1</sup> Frequently, evidence for rational addic-

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<sup>1</sup> Respectively, see: Becker et al. (1994), Baltagi and Griffin (2002), Grossman and Chaloupka (1998), Liu et al. (1999), Olekalns and Bardsley (1996), Mobilia (1993), Cameron (1999), and Cawley (1999).

tion is found, although the results are often described as less than compelling since unstable demand, implausible discount rates, and low price elasticities are estimated (Cameron, 1998; Ferguson, 2000; Baltagi and Griffin, 2001). Further, Gruber and Koszegi (2001) show that reduced form estimates of Becker et al. (1994) seminal model of cigarette demand is fragile to whether it is estimated in levels or differences. We contribute to the discussion by investigating the small-sample properties of commonly employed models. First, we propose an ‘anti-test’ of the empirical rational addiction model: We show that its application to time-series data on consumption of milk, eggs, oranges, apples, and cigarettes yields “evidence” that milk—by a substantial margin—is the most rationally addictive of these commodities. We then explain this result, and many of the anomalous results in the literature, through Monte Carlo simulation of demand models in which rational addiction is not present by construction. We show that the standard methodology is generally biased in the direction of finding rational addiction. Spurious evidence for rational addiction is likely to obtain if: (1) the consumption series is highly autocorrelated, (2) even a small amount of the variation in prices is endogenous, (3) a common linear restriction—that the ratio of the coefficient on the lead of consumption to that on the lag is the discount rate—is imposed on the model, or (4) overidentified instrumental variable estimators are used.

The rational addiction hypothesis holds that individuals have stable preferences and correctly anticipate that increases in current consumption of an addictive good will play out in the future as increased marginal utility of consumption. From that simple premise, the model is able to mimic many observed features of addiction, including “cold turkey” quitting behavior, reinforcement, tolerance, and withdrawal. We take no issue with the theory per se, but rather with the interpretation of some of the empirical evidence relating to the hypothesis. Becker et al. (1994) present the canonical empirical version of the model in the context of a careful analysis of US cigarette consumption. Current consumption of a potentially addictive good is regressed on its first lag and lead, current price, and possibly other demand shifters. The lags and leads of consumption are instrumented with lags and leads of prices. Positive estimates of the coefficients on the lag and the lead are interpreted as evidence for the rational addiction hypothesis, and the ratio of the coefficient on the lead to that on the lag is interpreted as an estimate of the discount rate.

An extensive meta-analysis of the empirical literature on rational addiction is beyond the scope of this paper, however, in Table 1 we present some selected results from selected studies using aggregate data to estimate such models for several different goods. Where possible, ordinary least squares (OLS) and instrumental variables estimates are compared. Several stylized facts stand out. First, estimates of the discount rate are highly variable, frequently negative, subject to occasional extreme draws, and estimates can be sensitive to whether it is imposed or left free to vary. Second, instrumental variables estimates are much more variable than OLS estimates. Third, the coefficients on the lag and lead of consumption are usually positive and often sum to close to unity, particularly when OLS is employed. Fourth, in all but two of the specifications presented the coefficient on lead consumption is positive and statistically significant. Such results are typically but not always interpreted as evidence in favor of rational addiction.<sup>2</sup> We present evidence that all of these results will

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<sup>2</sup> Indeed, some authors are skeptical that their results genuinely reflect RA. For example, we have reported Keeler et al.’s (1993) estimates constrained to be consistent with RA, but the authors argue that their evidence

Table 1  
Key results from selected previous studies

Study <sup>a</sup>	Method	$c_{t-1}$	$c_{t+1}$	Discount rate <sup>b</sup>
Keeler et al. (1993), US, cigarettes	2SLS	-0.06 (0.37)	0.47 (0.18)	-8.39
	2SLS	0.34 (0.14)	0.32 (0.13)	0.95
Sung et al. (1994), US (11 states), tobacco	2SLS	0.15 (0.08)	0.19 (0.08)	1.49
Becker et al. (1994), US, cigarettes	OLS	0.48 (0.01)	0.42 (0.02)	0.87
	2SLS	0.44 (0.04)	0.17 (0.04)	0.38
Conniffe (1995), Ireland, tobacco	OLS	0.16 (0.13)	-0.06 (0.15)	-0.37
	2SLS	-0.09 (0.23)	-0.06 (0.20)	0.67
Olekalns and Bardsley (1996), US, coffee	2SLS	0.52 (0.12)	0.47 (0.11)	0.91
Bardsley and Olekalns (1999), Australia, tobacco	GMM	0.49 (-)	0.48 (-)	(0.98)
Bentzen et al. (1999), Four Nordic countries, alcohol	2SLS	0.49 (0.03)	0.44 (0.03)	(0.91)
Cameron (1999), US, cinema	OLS	0.52 (0.04)	0.46 (0.06)	0.88
	2SLS	1.29 (0.80)	-0.59 (1.25)	-0.48
Escario and Molina (2000), Spain, tobacco	2SLS	0.16 (0.08)	0.13 (0.07)	0.83

$c_{t-1}$  denotes estimates of coefficient lag consumption,  $c_{t+1}$  estimates of coefficient on lead. Standard errors in parentheses.

<sup>a</sup> In most cases, these results are selected from several presented, or authors' preferred specifications.

<sup>b</sup> Discount rates in parentheses imposed as linear restrictions.

often obtain if consumption is serially correlated, but evidence for rational addiction is not present either because the good is not addictive or because consumers cannot anticipate price movements.

We first show that if consumption follows an autoregressive process of order 1 with parameter  $\rho$ , OLS estimates of the parameters on the lag and lead of consumption will both converge to  $\rho/(1 + \rho^2)$ , which is between 0.4 and 0.5 for values of  $\rho$  between 0.5 and 1.0. Our key argument is that instrumenting the lag and lead of consumption with lags and leads of prices does not eliminate the OLS biases in small samples. Since most time series on consumption of *any* commodity or service exhibit high serial correlation, the standard rational addiction model will then tend to find spurious evidence for rational addiction when applied to many goods. This argument explains why, across rational addiction studies, the coefficients on the lag and lead of consumption often sum to a number close to 1, why the discount rate is as often estimated to be negative as positive, and why evidence for rational

in totality is not supportive of RA. We do not mean to suggest that all of the papers we list conclude that their respective results are uniformly in favor of RA.

addiction is found even when it is implausible that consumers have information on future price changes.

The paper is organized as follows. Section 2 presents estimates of the canonical estimable rational addiction model applied to Canadian time-series data on cigarettes and four presumably non-addictive goods. We find that milk appears to be more rationally addictive than cigarettes, a result we dismiss out of hand and explain via analysis and simulations presented in Section 3. Section 4 concludes the paper.

## 2. Rational addiction to milk

In order to be a useful empirical tool, the estimable rational addiction (RA) model must be able to discriminate between addictive and non-addictive goods. In this section we propose an ‘anti-test’ of the RA model’s ability to differentiate addictive and non-addictive goods similar in the spirit of [Dranove and Wehner’s \(1994\)](#) tests for supplier-induced demand. We estimate RA models for both cigarettes, which we assume actually are addictive, and for several common staples which should not be found to be addictive.

Following [Becker, Grossman, and Murphy et al. \(1994\)](#) (BGM), the canonical empirical implementation of the rational addiction model can be sketched as follows. Consumers maximize lifetime utility

$$\sum_{t=0}^{\infty} \beta^t U(c_t, c_{t-1}, y_t, e_t) \quad (1)$$

subject to a law of motion for assets, where  $c_t$  is the consumption of a possibly addictive good in period  $t$ ,  $y_t$  consumption of a numeraire,  $e_t$  represents the influence of variables observed by the agent but not the econometrician, and  $\beta$  the agent’s discount rate. If the period return is quadratic, the optimal path for consumption follows a difference equation of the form

$$c_t = \theta c_{t-1} + \beta \theta c_{t+1} + \theta_1 p_t + u_t, \quad (2)$$

where the  $\theta$ ’s are parameters which depend on the underlying preferences and  $u_t$  is the noise. This equation is typically estimated via instrumental variables techniques since theory predicts that both the lag and lead of consumption are endogenous because a shock to  $e_t$  will affect marginal utility in all periods. BGM used, variously, lags and leads of prices and tax rates of various orders as instruments. In their preferred specification, the estimate of  $\theta$  is 0.418 and the coefficient on  $c_{t+1}$  is 0.138. BGM interpret the former result as verifying the addictive nature of the good, and the latter as evidence against myopic behavior, that is, as evidence in favor of *rational* addiction.

In [Table 3](#), we present estimates of [Eq. \(2\)](#) applied to annual aggregate Canadian data on cigarettes, and on a number of goods we selected on the basis that rational addictive behavior can be ruled out a priori: milk, eggs, oranges, and apples. Summary statistics and details of the data are presented in [Table 2](#). In each case, we include a linear time trend and a measure of real per-capita outlays on consumer non-durables as a proxy for permanent income. For each commodity, we consider four estimators: OLS, just identified two-stage

Table 2  
Summary statistics

Variable	Units	CANSIM	Period	<i>n</i>	Mean	S.D.
Milk quantity	Liters	D267578	1961–2000	40	94.82	5.32
Milk price		P100021	1961–2000	40	1.02	0.08
Egg quantity	Dozens	D267584	1961–2000	40	18.04	2.62
Egg price		P100026	1961–2000	40	1.42	0.33
Orange quantity	kg	D265449	1960–2000	41	9.71	1.30
Orange price		P100040	1960–2000	41	1.19	0.17
Apple quantity	kg	D264858	1960–2000	41	11.57	1.26
Apple price		P100039	1960–2000	41	0.82	0.13
Cigarette quantity	Cigarettes	D2091, D2095	1968–2000	33	2161.61	427.73
Cigarette price		P200267	1968–2000	33	0.54	0.19
Outlays		D16141, D16142	1961–2000	40	10895.89	2344.28

Notes: All data are annual and national-level and were obtained from the Statistics Canada's CANSIM database. "Outlays" is per-capita spending on consumer non-durable goods and services. Outlays and all prices expressed in real terms by adjusting by all-items CPI (1992 = 100). All quantities in per-capita terms. Cigarette consumption includes cigars and is the sum of domestic and export sales, as the vast majority of exports are smuggled back into Canada (Galbraith and Kaiserman, 1997).

least squares (2SLS) using one lag and lead of prices as instruments for the lags and leads of consumption (2SLS(JI)), an overidentified 2SLS estimator using three lags and three leads of prices as instruments (2SLS(OI)), and finally 2SLS estimates imposing the linear restriction that the coefficient on  $c_{t+1}$  equals the discount rate times the coefficient on  $c_{t-1}$ , again using one lag and lead of price as instruments (2SLS(RES)). We set the discount rate in the last case at 0.9.

The cigarette models confirm the result that cigarettes are rationally addictive. Each of the estimators yields positive coefficients on the lag and lead of consumption, suggesting higher past or future consumption causes higher current consumption, although the coefficient on the lag of consumption in the 2SLS(JI) case is not statistically significant. The implied discount rates are, however, implausible, ranging from about 1.2 to almost 4.0. BGM and other authors have found similar results and interpreted them, in the phrasing of Baltagi and Griffin (2001), as "verifying addiction" and "clearly rejecting myopic addiction" despite the "disquieting anomalies" that appear.

Among the presumably non-addictive commodities, apples provide the least support for RA, as the coefficients on lag and lead consumption are statistically insignificant across estimators. However, even in this case one could argue there is weak support for RA. The coefficients are always positive, and seem to settle down to values similar to those we recover for cigarettes as more instruments or the restriction are used, although the elasticities are imprecisely estimated. Anticipating results discussed in the following section, we note here that apple consumption exhibits the least serial correlation of our five commodities.

There is evidence for the rational addictiveness of eggs and oranges comparable, albeit somewhat weaker, to that for cigarettes. In the case of eggs, the OLS and overidentified 2SLS estimates indicate large and precisely estimated effects of past and future consumption

Table 3  
Estimates of rational addiction models

Commodity	Estimator	$c_{t-1}$	S.E.	$c_{t+1}$	S.E.	Implied discount rate
Milk	OLS	0.603	0.099	0.520	0.104	0.861
	2SLS(JI)	0.849	0.312	0.706	0.365	0.830
	2SLS(OI)	0.756	0.195	0.476	0.181	0.628
	2SLS(RES)	0.822	0.132	0.740	0.119	(0.9)
Eggs	OLS	0.497	0.086	0.548	0.073	1.127
	2SLS(JI)	1.472	3.109	1.118	1.021	0.775
	2SLS(OI)	0.327	0.188	0.713	0.224	2.230
	2SLS(RES)	1.232	0.938	1.109	0.844	(0.9)
Oranges	OLS	0.546	0.133	0.242	0.117	0.447
	2SLS(JI)	0.023	0.524	-0.735	0.636	-32.827
	2SLS(OI)	0.555	0.170	0.268	0.144	0.478
	2SLS(RES)	0.031	0.341	0.028	0.307	(0.9)
Apples	OLS	0.147	0.175	0.075	0.202	0.504
	2SLS(JI)	1.256	4.682	0.567	2.347	0.446
	2SLS(OI)	0.496	1.010	0.550	1.189	1.118
	2SLS(RES)	0.295	1.452	0.265	1.307	(0.9)
Cigarettes	OLS	0.441	0.078	0.507	0.081	1.176
	2SLS(JI)	0.128	0.224	0.492	0.162	3.931
	2SLS(OI)	0.365	0.099	0.493	0.095	1.388
	2SLS(RES)	0.369	0.087	0.332	0.078	(0.9)

*Notes:* Coefficient estimates reported as elasticities calculated at sample means. All models include a linear time trend, current real price, and per-capita real expenditures on non-durables as additional regressors. 2SLS(JI) uses one lag and lead of prices as instruments, 2SLS(OI) uses two additional lags and leads, and 2SLS(RES) uses one lag and lead and imposes the linear restriction that the coefficient on  $c_{t+1}$  equals 0.9 times the coefficient on  $c_{t-1}$ .

on current consumption. The just identified and restricted cases yield even larger (indeed, explosive) estimates, although they are not precisely estimated. Oranges follow a similar pattern, with the OLS and overidentified 2SLS estimators apparently revealing the addictive nature of oranges, whereas the just identified and restricted instrumental variables estimates yield less support. Absent a priori knowledge on the psychoactive properties of these goods, it would be difficult to maintain based on the results in Table 3 that cigarettes are substantially more or less addictive than eggs or oranges.

Finally, the results suggest milk is the most addictive of all the commodities considered. The coefficients on both the lag and lead of consumption are highly significant across estimators. The 2SLS estimate on the lag of consumption is 1.4 to 6.6 times as large as the comparable estimates on cigarettes, apparently very strong evidence that milk is highly addictive. The 2SLS estimates on the lead of consumption are similarly larger in magnitude than the comparable cigarette estimates, apparently confirming that milk addicts are not myopic. Finally, the implied discount rates range between 0.63 and 0.86, easily the most plausible among the commodities considered. In contrast, the implied discount rates for cigarettes are all greater than unity, and exhibit very large dispersion across the other commodities.

In short, among the commodities considered, we find apples to be least rationally addictive. Eggs, cigarettes, and oranges are apparently comparably addictive, with mixed support in favor of the RA hypothesis. Milk, however, is very strongly addictive! This is clearly an empirical puzzle since we can rule out the addictiveness of milk over tobacco on the basis of other evidence.

### 3. Analysis

We first examine the properties of OLS estimates of Eq. (2) when the errors are serially correlated. Ignoring other covariates for the moment, suppose consumption follows an AR(1) process which we express as

$$c_t = u_t, \quad u_t = \rho u_{t-1} + \epsilon_t, \quad (3)$$

where  $\epsilon$  is the mean-zero white noise with variance  $\sigma_\epsilon^2$  and the absolute value of  $\rho$  is not greater than unity. Consider the regression of  $c_t$  onto its lag and lead

$$c_t = \beta_l c_{t-1} + \beta_f c_{t+1} + u_t. \quad (4)$$

Notice that by construction there is neither rational addiction nor habit formation present (the true values of  $\beta_l$  and  $\beta_f$  are zero). It is well known that the lag of consumption is endogenous when the errors are serially correlated, and the same is true of the lead of consumption: the covariance between  $c_{t+1}$  and  $u_t$  is  $\rho\sigma_\epsilon^2$ . The true values of  $\beta_l$  and  $\beta_f$  are zero, but it can be shown that

$$\text{plim}_{n \rightarrow \infty} \hat{\beta}_l = \text{plim}_{n \rightarrow \infty} \hat{\beta}_f = \frac{\rho}{1 + \rho^2}, \quad (5)$$

where  $\hat{\beta}_i$ ,  $i = l, f$  represent the OLS estimates of (4) (see Appendix A.1 for proof). Further, notice that after holding the lag of consumption constant, the errors are serially uncorrelated. Thus, testing for and failing to find autocorrelation after estimating an equation such as (4) does not indicate that serial correlation is not biasing the results. When other covariates  $X_t$  are present the same arguments apply; the estimated coefficients on the columns of  $X_t$  will generally not be consistently estimated and the coefficients on the lag and lead of consumption will converge to values which depend on both  $\rho$  and the covariances between the columns of  $X_t$  and the consumption series.

Recall the implied discount rate is the ratio of the coefficient on the lead of consumption to that on the lag of consumption. Since these coefficients are centered on the same value, OLS estimates of the RA equation will yield estimates of the discount rate centered on roughly unity. However, no moments of this ratio will generally exist even when the mean of the estimator exists (Hinckley, 1969) such that the estimated discount rate will exhibit high variability and occasional very extreme draws.

We are also now in a position to explain Gruber and Koszegi's (2001) finding that estimation of BGMs cigarette demand equations are sensitive to estimation in differences versus levels. Suppose that Eq. (4) is estimated in differences when the DGP is, as before, given by Eq. (3). It is possible to show that

$$\text{plim}_{n \rightarrow \infty} \hat{\beta}_l^d = \text{plim}_{n \rightarrow \infty} \hat{\beta}_f^d = \frac{\rho - 1}{\rho^2 - \rho + 2}, \quad (6)$$

where superscript d's denote estimates of the differenced model (see Appendix A.2 for proof). The asymptotic bias is then well approximated by  $0.5(-1 + \rho)$  for  $\rho > 0$ , where the approximation is exact at  $\rho = 0$  or  $\rho = 1$ . If consumption has a unit root, the differenced model is consistent. The bias is approximately linear in  $\rho$ , of the opposite sign, smaller in magnitude for  $\rho > 0.4$  than in the levels case, and small for values of  $\rho$  typical of most economic time series. For instance, at  $\rho = 0.9$ , approximately the serial correlation in the cigarette data discussed in Section 2, the asymptotic bias in the differenced model would be approximately  $-0.05$ , whereas in levels it is  $0.497$ . We graph the asymptotic bias for levels and differences models in Fig. 1.

OLS estimates of the RA equation in levels then tend to yield spurious evidence in favor of RA whenever serial correlation is present in the consumption series, along with estimates of the discount rate centered on roughly unity. The endogeneity of both the lag and lead of consumption is well known, following from either serial correlation in the errors or from optimizing behavior under rational addiction. Instrumental variables techniques are, then, typically used to estimate (2). It is immediate from the argument above that anything which biases instrumental variables estimates in the same direction as the OLS bias will yield misleading evidence in favor of the RA hypothesis whenever the consumption series exhibits significant serial correlation. If, however, prices are exogenous, instrumental

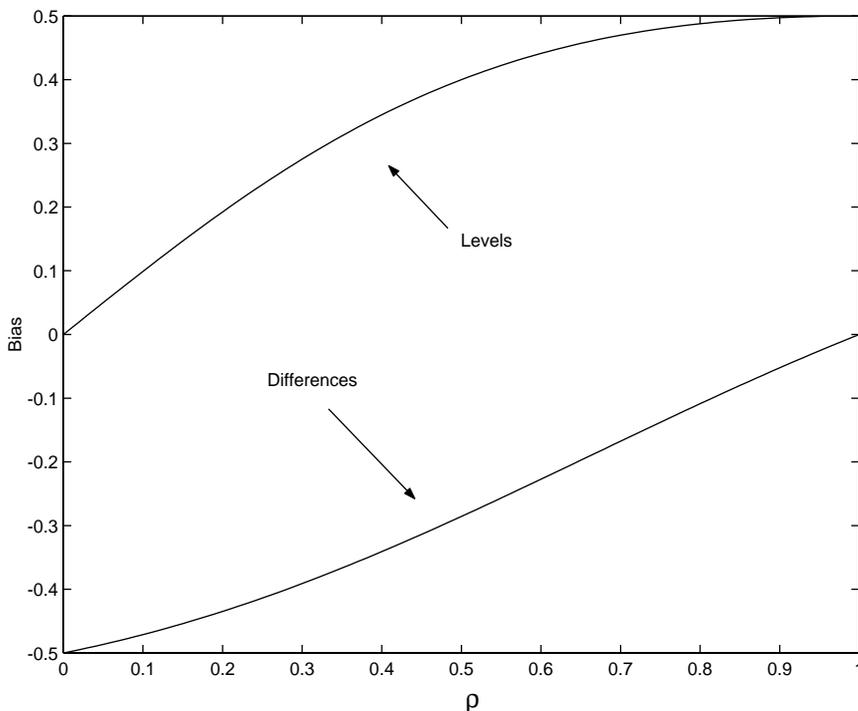


Fig. 1. Asymptotic bias of OLS models. Bias of lead consumption parameter estimate when consumption follows an AR(1) process with parameter  $\rho$ .

variable estimates of the coefficients on the lag and lead of consumption are consistent. We now examine the small-sample properties of these estimators.

## 4. Monte Carlo simulations

### 4.1. Experimental design

We consider the data generating process (DGP)

$$\begin{aligned} c_t &= -\eta p_t + u_t, & u_t &= \rho u_{t-1} + \epsilon_t, & p_t &= 0.9p_{t-1} + v_t, \\ \epsilon_t &\sim \text{NID}(0, 1), & v_t &\sim \text{NID}(0, 1), \end{aligned} \quad (7)$$

and the properties of the regression

$$c_t = \beta_l c_{t-1} + \beta_f c_{t+1} + \beta_p p_t + \text{noise}. \quad (8)$$

We are as generous to the rational addiction model as possible while still allowing the price and consumption series to exhibit serial correlation. We assume prices are strictly exogenous, we remove other covariates which is equivalent to assuming that we have already perfectly captured and removed all other influences on consumption, and we assume away measurement error (such as due to smuggling or hoarding), consumer uncertainty over future prices, and the other problems that previous research has identified in this context. Notice that the population values of  $\beta_l$  and  $\beta_f$  are both zero, so there is by construction no rational addiction present under DGP (7).

The estimators we consider are OLS ( $\hat{\beta}_f^{\text{OLS}}$ ) and several variants of 2SLS: the just identified case using one lag and lead of prices as instruments ( $\hat{\beta}_f^{2\text{SLS(JI)}}$ ), the overidentified case using two lags and leads of consumption as instruments ( $\hat{\beta}_f^{2\text{SLS(OI)}}$ ), and subject to the restriction  $\beta_f = 0.9\beta_l$ , again using one lag and one lead of prices as instruments ( $\hat{\beta}_f^{2\text{SLS(RES)}}$ ). Since, as discussed above, the lag and lead of consumption are endogenous when  $\rho \neq 0$ , OLS is inconsistent. Since prices are valid instruments, each of the 2SLS estimators is consistent with variance proportional to the second diagonal element of  $(X'W(W'W)^{-1}W'X)^{-1}$ , where  $X$  denotes the matrix of regressors in (8) and  $W$  the matrix of instruments. The exact small-sample properties of the estimates are very difficult to obtain even in considerably simpler models (in related contexts, see Phillips, 1977; Bekker, 1994), so we simulate their properties.

We limit interest to the properties of estimators of  $\beta_f$ , the parameter usually interpreted as reflecting rational addiction, although we note that our findings will usually also apply to the coefficient on the lag of consumption, which is conventionally interpreted as verifying addiction. We characterize the distribution of  $\hat{\beta}_f$  and the size of the  $t$ -test against the (true) null that this parameter is zero using response surfaces. The parameters we are interested in varying across experiments are the sample size  $n$ ,  $\eta$ , which governs the strength of the instruments and  $\rho$ , which governs the degree of autocorrelation the consumption series exhibits. We stratify by sample size since we expect sample size to interact with the other parameters in a complex manner.

We ran  $M$  Monte Carlo experiments, varying the parameter values at each experiment. For each of the  $M$  experiments,  $R$  samples of length  $n$  from process (7) were drawn. For each sample, each of the four estimators of  $\beta_f$  were calculated, along with the associated pseudo- $t$  statistics against the null  $\beta_f = 0$ .

We ran experiments to investigate the properties of the model as the degree of autocorrelation in the consumption series ( $\rho$ ) and the price sensitivity of demand ( $\eta$ ) vary. We set the number of experiments at  $M = 2000$ , executed  $R = 1000$  simulations at each value of the parameter vectors, and ran one set of  $M$  experiments at  $n = 100$ , and another at  $n = 1000$ . For each experiment, we drew  $(\rho, \eta)$  from the unit square uniform distribution with antithetic acceleration (see [Hendry, 1984](#)), such that the vectors of draws of each parameter are approximately orthogonal and dense. For each experiment and for each estimator  $\hat{\beta}$ , we recorded the sample mean of the estimates,  $\hat{\beta}_m = (1/R)\sum_{r=1}^R \hat{\beta}_r$ , and the number of rejections of the null  $\beta_f = 0$ ,  $\bar{P}_m = \sum_{r=1}^R 1(|\hat{t}_r| > 1.962)$ , where  $1(\cdot)$  is the indicator function and  $\hat{t}_r$  the estimated  $t$ -ratio on the  $r$ th replication. We characterize the relationships between the parameters, bias, and test size using both response surfaces and graphs. We ran linear regressions of the form  $y_m = \sum_i \phi_i \psi(\rho, \eta) + \text{noise}$ ,  $m = 1, \dots, M$ , where  $\psi(\cdot)$  are the functions of the parameters,  $\phi_i$  the parameters to be estimated, and  $y_m$  either bias or (1000 times) size recorded in the  $m$ th experiment. We chose a second-order Taylor series approximation as the functional form of the response surfaces.

All experiments were conducted using Stata 6.0 running on an IBM RS/6000 workstation.

Table 4  
Monte Carlo results: response surface estimates, bias in estimating coefficient on lead consumption

	$\hat{\beta}_f^{\text{OLS}}$	$\hat{\beta}_f^{\text{2SLS(JI)}}$	$\hat{\beta}_f^{\text{2SLS(OI)}}$	$\hat{\beta}_f^{\text{2SLS(RES)}}$
$n = 100$				
$\rho$	0.88 (125.65)	0.016 (0.02)	0.27 (19.72)	-0.23 (7.23)
$\rho^2$	-0.34 (50.49)	-0.34 (0.62)	0.26 (22.03)	0.01 (0.46)
$\eta$	-0.29 (5.24)	-2.43 (2.70)	-0.42 (34.09)	-2.89 (47.89)
$\eta^2$	-0.06 12.32	1.86 (2.91)	0.39 (41.48)	1.76 (41.29)
$\rho\eta$	-0.04 5.69	0.46 0.82	-0.48 (43.85)	0.41 (10.23)
Constant	0.01 (5.88)	0.63 (2.03)	0.09 (17.69)	1.25 (59.16)
$R^2$	0.99	0.01	0.96	0.86
$n = 1000$				
$\rho$	0.86 (111.35)	0.39 (1.34)	0.13 (8.37)	-0.19 (3.85)
$\rho^2$	-0.36 (49.29)	0.05 (0.10)	0.19 (11.97)	0.19 (5.31)
$\eta$	-0.50 (8.11)	-0.12 (0.35)	-0.45 (26.18)	-2.27 (32.84)
$\eta^2$	-0.06 (11.28)	0.44 (1.56)	0.49 (29.79)	1.66 (31.82)
$\rho\eta$	0.01 (1.23)	-0.74 (1.55)	-0.41 (25.39)	0.12 (2.56)
Constant	0.39 (14.89)	-0.12 (1.01)	0.07 (15.74)	0.77 (30.70)
$R^2$	0.99	0.01	0.76	0.74

Notes: Based on 2000 Monte Carlo simulations for each value of  $n$ , each of which used 1000 samples of size  $n$  from data generating process (7).  $t$ -ratios based on heteroskedasticity-robust standard errors in parentheses. Prices determined exogenously. 2SLS(JI) uses one lag and lead of prices as instruments, 2SLS(OI) uses an additional lag and lead, and 2SLS(RES) uses one lag and lead and imposes  $\beta_f = 0.9\beta_1$ .

## 4.2. Monte Carlo results

Table 4 displays response surfaces for bias in estimation of  $\beta_f$ . The true value of the parameter is zero, so an ideal estimator would yield a constant of zero and no sensitivity to the values of the nuisance parameters  $\rho$  and  $\eta$ . The OLS results reflect the theoretical argument presented above: OLS is severely biased in favor of RA, an outcome affected little by sample size, and moderated slightly by strong price elasticity of demand. The just identified 2SLS estimator (2SLS(JI)) performs well, with an  $R^2$  from the response surface estimates of only 0.01, reflecting little impact of the nuisance parameters on the estimates. Monte Carlo results and finite sample theory suggest overidentified models tend to exhibit bias in the same direction as the OLS bias in small samples (Davidson and MacKinnon, 1993, p. 222), and our simulations confirm this result in the present context. The overidentified 2SLS estimator (2SLS(OI)) exhibits severe biases at the small-sample size, which are mitigated only moderately by increasing  $n$  by an order of magnitude. More serial correlation in the errors produces more evidence of RA, an effect mitigated by higher values of  $\eta$  (stronger instruments). The surface is U-shaped in  $\eta$ , reflecting the fact that as  $\eta \rightarrow 0$  the instruments become weak and the 2SLS bias converges to the OLS bias. Finally, the 2SLS estimates with the constraint  $\beta_f = 0.9\beta_1$  also reflect strong biases in favor of finding RA. As in the overidentified case, weak instruments are particularly likely to bias the estimates away from zero.

Table 5

Monte Carlo results: response surface estimates, size of test against null that coefficient on lead consumption is zero

	$\hat{\beta}_f^{\text{OLS}}$	$\hat{\beta}_f^{2\text{SLS(JI)}}$	$\hat{\beta}_f^{2\text{SLS(OI)}}$	$\hat{\beta}_f^{2\text{SLS(RES)}}$
$n = 100$				
$\rho$	3120.10 (128.41)	-56.00 (17.10)	188.15 (17.61)	51.49 (3.93)
$\rho^2$	-2177.92 (88.25)	117.57 (33.97)	479.21 (37.88)	655.03 (55.11)
$\eta$	-158.98 (7.43)	102.81 (31.71)	229.89 (25.14)	-506.03 (47.68)
$\eta^2$	-29.00 (1.49)	-71.70 (25.63)	-190.87 (20.51)	361.43 (40.52)
$\rho\eta$	207.26 (9.47)	27.69 10.01	-48.08 (4.68)	-500.10 (48.05)
Constant	-52.25 (6.61)	0.63 (2.03)	-12.75 (5.13)	284.93 (70.08)
$R^2$	0.96	0.91	0.90	0.98
$n = 1000$				
$\rho$	1942.00 (24.36)	-6.26 (2.08)	-34.71 (3.08)	52.50 (3.09)
$\rho^2$	-1596.27 (24.84)	71.11 (17.70)	319.16 (17.66)	431.97 (19.84)
$\eta$	80.03 (1.46)	98.19 (32.52)	49.71 (5.35)	-812.92 (50.76)
$\eta^2$	-115.62 (2.77)	-65.08 (20.15)	33.62 (3.39)	774.15 (43.09)
$\rho\eta$	60.14 (1.07)	-52.30 (13.93)	-280.92 (18.42)	-538.01 (25.23)
Constant	473.42 (16.97)	-2.00 (2.88)	8.32 (3.91)	247.16 (60.60)
$R^2$	0.56	0.68	0.72	0.87

Notes: Based on 2000 Monte Carlo simulations per value of  $n$ , each of which used 1000 samples of size  $n$  from data generating process (7). Dependent variable is number of rejections of true null in 1000 replications.  $t$ -ratios based on heteroskedasticity-robust standard errors in parentheses. Prices determined exogenously. Nominal size of test is 5%. 2SLS(JI) uses one lag and lead of prices as instruments, 2SLS(OI) uses an additional lag and lead, and 2SLS(RES) uses one lag and lead and imposes  $\beta_f = 0.9\beta_1$ .

Table 5 presents response surface estimates for size of the  $t$ -test against the null  $\beta_f = 0$ . Again the OLS estimates display the worst properties, severely over-rejecting the null at high values of  $\rho$ . The overidentified and restricted instrumental variables estimators fare better than OLS, but still tend to over-reject the null when significant autocorrelation in consumption is present.

We display the results for the bias and size of the overidentified 2SLS estimators in Figs. 2 and 3, respectively. The main result is that the estimates are severely biased upwards when there is high serial correlation in the consumption series. This bias is smaller when the instruments are stronger. However, the over-rejection rate increases with the strength of the instruments, which is an artifact of distorted confidence intervals stemming from weak instruments (see, for example, Stock et al., 2002). Indeed, the realized size of the test is lower than the nominal size if the instruments are very weak.

Since many empirical tests of RA use lags and leads of prices as instruments for lags and leads of consumption, we also ran some experiments on the effects of endogeneity in prices on the properties of the estimators. We simulated endogenous prices by allowing price to enter the error structure for the consumption process negatively, which is the correlation which would obtain if there is stochastic fluctuation in demand, but no correlation between the shocks in the demand equation and the supply (or equivalent) equations. To save space

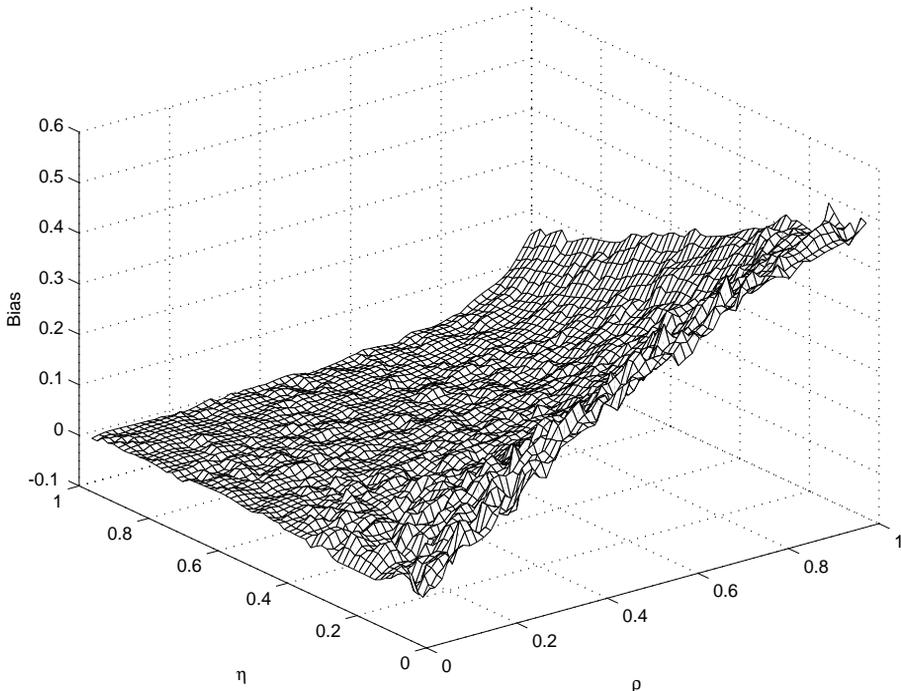


Fig. 2. Bias in estimation of  $\beta_f$ , overidentified 2SLS estimator. Monte Carlo results.  $\rho$  is the degree of serial correlation in the consumption series and  $\eta$  the price elasticity of demand.

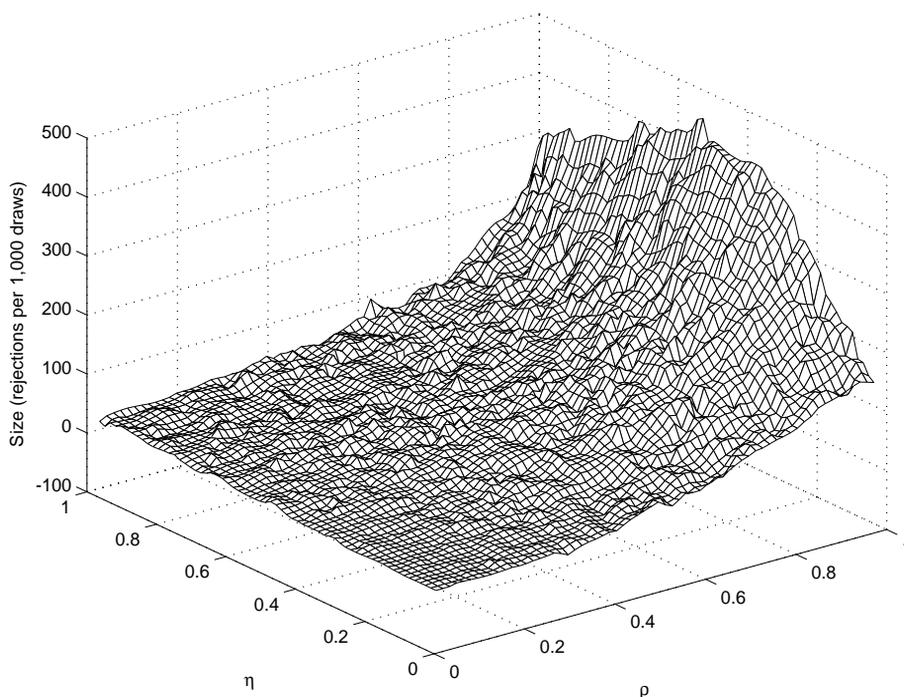


Fig. 3. Size of test against  $\beta_f = 0$ , overidentified 2SLS estimator. Monte Carlo results.  $\rho$  is the degree of serial correlation in the consumption series,  $\eta$  the price elasticity of demand. Figure shows number of rejections per 1000 draws of the true null that rational addiction is not present. Nominal size is 5%.

we do not report these results as, unsurprisingly, even moderate endogeneity produces severe biases in all four of our candidate estimators.

Finally, in light of the high serial correlation often found in time-series consumption data and Reinhardt and Giles' (2001) finding that cigarette prices and consumption are cointegrated, we consider the special case in which the consumption process has a unit root. We assume prices are exogenously determined, and set the price elasticity of demand to  $-0.5$ , that is, we analyze the results of the experiments described above evaluated at the parameter values ( $\eta = 0.5$ ,  $\rho = 1.0$ ). We set the number of replications to 10,000, and ran simulations at sample sizes of  $n = 100$  and  $n = 1000$ . The results are presented in Table 6. Each estimator at each sample size is severely biased in favor of finding RA, and increasing  $n$  by an order of magnitude does little to reduce the bias (indeed, the restricted estimates appear to become *more* biased as  $n$  increases over this range).<sup>3</sup> Similarly, the size of the tests against  $\beta_f = 0$  are all far greater than the nominal 5%. As in the previous results, the just identified 2SLS estimator exhibits the best properties, with size of roughly 2.5 times nominal at the larger sample size, whereas OLS always rejects the true null. Both the restricted and overidentified 2SLS estimators severely over-reject, and the rate of over-rejection becomes

<sup>3</sup> A caveat to the apparent large bias in the just identified model is that this model has no moments (Kinal, 1980). Reporting "biases" for such models is then problematic, and this result should be interpreted with caution.

Table 6

Monte Carlo results: properties of estimators when consumption process has a unit root

	$n = 100$			$n = 1000$		
	Mean	S.D.	Size	Mean	S.D.	Size
OLS	0.493	0.021	1.000	0.500	0.003	1.000
2SLS(JI)	1.846	144.62	0.139	0.758	36.31	0.119
2SLS(OI)	0.348	0.247	0.477	0.305	0.220	0.451
2SLS(RES)	0.281	0.232	0.683	0.308	0.276	0.551

Notes: Parameter is coefficient on lead of consumption. Results based on 10,000 Monte Carlo replications. 2SLS(JI) uses one lag and lead of prices as instruments, 2SLS(OI) uses an additional lag and lead, and 2SLS(RES) uses one lag and lead and imposes  $\beta_l = 0.9\beta_1$ . Nominal size is 5%. The data generating process is as described by Eq. (7), with  $\rho = 1.0$ ,  $\eta = -0.5$ .

worse as  $n$  increases, presumably because the standard error falls at a greater rate than the bias over this range.

## 5. Conclusions

We presented evidence that the canonical rational addiction model tends to yield spurious evidence in favor of rational addiction when estimated using time-series data. We first showed that the standard model produces evidence that non-addictive goods such as milk, eggs, and oranges are rationally addictive. Indeed, the results suggest that milk is more addictive than cigarettes. From these results we concluded that the standard methodology does not reliably discriminate between addictive and non-addictive goods.

We proceeded to explain these results via simple analytics and Monte Carlo simulations. We showed that OLS estimates of the standard model are biased in favor of finding rational addiction, whereas the model estimated in differences has much smaller bias of the opposite sign when there is serial correlation in consumption. In both cases the coefficients on the lag and lead of consumption converge to values which depend solely on the degree of autocorrelation in the consumption series. To the extent that small-sample 2SLS estimates are biased in the same direction as the OLS bias, it follows that 2SLS estimates are also prone to finding spurious evidence in favor of rational addiction. Monte Carlo simulation revealed such biases are large, even when prices are truly exogenous and all other econometric difficulties, such as measurement error, are assumed away. In particular, we discovered that overidentified models and models with the discount rate imposed as a linear restriction perform very badly, exhibiting severe biases and massively over-rejecting the null of no rational addiction. Exactly identified instrumental variable models, conversely, performed much better. We also argued that testing for autocorrelation in the residuals after estimating a rational addiction model will not reveal whether serial correlation is generating spurious results, as controlling for the lag and lead of consumption effectively removes such correlation.

Even under the assumption that the rational addiction hypothesis is true, evidence for rational addiction should not be found if price changes cannot be anticipated, and only

weak evidence should be found if the activity is only weakly addictive. Many previous studies, however, find evidence of strong rational addiction under such circumstances. Our results suggest that such evidence may be spurious and should be interpreted with caution, particularly when overidentified or restricted instrumental variables estimates have been reported. Short- and long-run price elasticities calculated from such estimates are also likely to be biased.

We make several tentative recommendations for future research in light of our findings. First, estimating the model in differences is likely to yield better small-sample properties than estimation in levels for commodities exhibiting moderate to high serial correlation in consumption. Second, exactly identified instrumental variable models are likely to be preferable to overidentified models. Third, if the goal is to test for rational addiction, the discount rate should not be imposed as a constraint on the model. Fourth, methods which do not succumb to the biases we have identified, such as analysis of anticipated versus unanticipated cigarette tax shifts (Escario and Molina, 2000; Gruber and Koszegi, 2001), are better tests of the rational addiction hypothesis than the canonical empirical model. Finally, we emphasize that we have limited attention to rational addiction models estimated from aggregated time-series data and our results do not necessarily apply to studies exploiting microdata, such as Chaloupka (1991) or Labeaga (1999).

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## Appendix A. Proof of probability limit of OLS estimates

### A.1. Model in levels

The OLS estimates of Eq. (4) are  $(X'X)^{-1}X'c$ , where  $X = [c_{t-1} c_{t+1}]$  and  $c$  denotes the consumption vector. Substituting the data generating process (3) for  $c$  and taking asymptotic probability limits yields

$$\begin{pmatrix} \hat{\beta}_l \\ \hat{\beta}_f \end{pmatrix} = \begin{pmatrix} \rho \\ 0 \end{pmatrix} + \frac{1}{\sigma_1^2 \sigma_f^2 - \sigma_{lf}^2} \begin{bmatrix} \sigma_f^2 \sigma_{1\epsilon} - \sigma_{lf} \sigma_{f\epsilon} \\ \sigma_1^2 \sigma_{1\epsilon} - \sigma_{lf} \sigma_{1\epsilon} \end{bmatrix}, \quad (\text{A.1})$$

where subscript l denotes the lag of consumption, f the lead of consumption,  $\sigma_i^2$ ,  $i = 1, f$  asymptotic variances and  $\sigma_{ij}$  the population covariance between variables  $i$  and  $j$ . The

process (3) further implies  $\sigma_1^2 = \sigma_\epsilon^2/(1 - \rho^2)$ ,  $\sigma_f^2 = \sigma_\epsilon^2/(1 - \rho^2)$ ,  $\sigma_{1\epsilon} = 0$ ,  $\sigma_{f\epsilon} = \rho\sigma_\epsilon^2$ , and  $\sigma_{1f} = (\rho^2\sigma_\epsilon^2)/(1 - \rho^2)$ . Substituting these values into (A.1), we find

$$\text{plim}_{n \rightarrow \infty} \begin{pmatrix} \hat{\beta}_1 \\ \hat{\beta}_f \end{pmatrix} = \begin{pmatrix} \rho \\ 0 \end{pmatrix} + \begin{pmatrix} \frac{-\rho^3}{1 + \rho^2} \\ \frac{\rho}{1 + \rho^2} \end{pmatrix} = \begin{pmatrix} \frac{\rho}{1 + \rho^2} \\ \frac{\rho}{1 + \rho^2} \end{pmatrix} \quad (\text{A.2})$$

as asserted in the text.

## A.2. Model in differences

In this case, the equation estimated is

$$\Delta c_t = \beta_1^d \Delta c_{t-1} + \beta_f^d \Delta c_{t+1} + \text{noise}, \quad (\text{A.3})$$

where  $\Delta c_t = c_t - c_{t-1}$ . We prove the limit of  $\hat{\beta}_f^d$ , and assert that, as in the levels model, symmetry implies that  $\hat{\beta}_1^d$  converges to the same limit. It is immediate that

$$\hat{\beta}_f^d = [((c_{t+1})(1 - L))' M(c_{t+1}(1 - L))]^{-1} (c_{t+1}(1 - L))' M(c_t(1 - L)), \quad (\text{A.4})$$

where  $L$  is the lag operator and  $M = I - x(x'x)^{-1}x'$ ,  $x = c_{t-1}(1 - L)$ . Defining  $a = (1 - \rho L)^{-1}(1 - L)$  and substituting the DGP, we have

$$\hat{\beta}_f^d = [(\epsilon_{t+1}a)' (I - (\epsilon_{t-1}a)((\epsilon_{t-1}a)'(\epsilon_{t-1}a))^{-1}(\epsilon_{t-1}a)')(\epsilon_{t+1}a)]^{-1} \\ \times [(\epsilon_{t+1}a)' (I - (\epsilon_{t-1}a)((\epsilon_{t-1}a)'(\epsilon_{t-1}a))^{-1}(\epsilon_{t-1}a)')(\epsilon_t a)]. \quad (\text{A.5})$$

Evaluating this expression as  $n \rightarrow \infty$  involves population covariances of the form

$$C_{|i-j|} = \text{plim}_{n \rightarrow \infty} \left( \frac{1}{n} \right) (\epsilon_{t-i}a)' (\epsilon_{t-j}a), \quad (\text{A.6})$$

where  $i$  and  $j$  are 0, 1, or  $-1$ . When  $i = j$ ,  $C_0 = 2\sigma_\epsilon^2/(1 + \rho)$ . When  $|i - j| = 1$ ,  $C_1 = -\sigma_\epsilon^2(1 - \rho)/(1 + \rho)$ . When  $|i - j| = 2$ ,  $C_2 = -\sigma_\epsilon^2\rho(1 - \rho)/(1 + \rho)$ . Substituting these values into (A.5) and simplifying yields the result asserted in the text.

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# Causal effect of early initiation on adolescent smoking patterns

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*Abstract.* A key concern in policy debates over youth smoking is whether preventing children from smoking will stop them from smoking as adults or merely defer initiation into smoking. This paper estimates determinants of smoking status in late adolescence viewing smoking at age 14 as an endogenous ‘treatment’ on subsequent smoking. This approach disentangles causation from unobserved heterogeneity and allows addictiveness to vary across individuals. Exploiting large tax changes across time and across regions in Canada in the early 1990s, the estimated model suggests that smoking is highly addictive for the average youth but less so for youths who actually do initiate early or who are likely to be induced to initiate early at the margin. Thus, policies that deter initiation will reduce eventual smoking rates, but not by as large a magnitude as conventional econometric models might suggest. JEL classification: I1, C3

*Effet causal d’avoir commencé à fumer tôt sur les comportements de fumeur des adolescents.* Un problème central dans les débats de politique publique sur le fumage chez les jeunes est de savoir si empêcher les enfants de fumer va les amener à ne pas fumer à l’âge adulte ou tout simplement reporter le commencement du fumage. Ce mémoire examine les déterminants de l’état de fumeur à la fin de l’adolescence en considérant le fait de fumer à 14 ans comme un facteur ayant un impact sur les comportements ultérieurs. Cette approche distingue la causalité de l’hétérogénéité non-observée et permet à la dépendance de varier d’un individu à l’autre. Utilisant le vaste éventail de changements dans les taxes sur le tabac dans le temps et d’une région à l’autre au Canada au début des années 1990, on calibre le modèle. Les résultats suggèrent que fumer engendre une forte dépendance chez les jeunes en moyenne mais

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que c'est moins vrai pour ceux qui ont commencé à fumer tôt ou ceux qui sont susceptibles de commencer à fumer tôt à la marge. Voilà qui suggère que les politiques qui découragent le fumage chez les très jeunes vont réduire le taux de fumeurs dans la population mais que cet effet ne sera pas aussi grand que ce que suggèrent les modèles économétriques conventionnels.

## 1. Introduction

Consider a policy that successfully reduces smoking rates among 14-year-olds. If the policy merely defers smoking initiation into later adolescence or early adulthood, it will fail to have a substantial long-term effect on smoking rates. Whether eventual smoking will be prevented or deferred cannot be determined from correlation in youths' smoking behaviour over time, because that correlation could be attributable to either a causal effect of past smoking on current smoking (that is, an addictive effect) or by correlation over time in unobserved determinants of smoking. Using a large survey of in and out of school adolescents, this paper develops a dynamic structural model to disentangle intertemporal causation from unobserved heterogeneity in youth smoking patterns.

It is sometimes assumed in the public health literature that deterring youth smoking must decrease adult smoking, yet this result does not follow from the observed high correlation in smoking status over time. In the primary data used in this paper, for example, respondents who begin smoking relatively young are far more likely to report being daily smokers later in adolescence: a youth who reports initiating into smoking by age 14 is 5.5 times more likely to smoke later in adolescence than a youth who did not begin smoking by age 14. The critical question is whether this pattern obtains because initiating early *causes* higher smoking rates later in adolescence or rather because the same factors that induce early initiation also induce smoking later in adolescence. If these patterns result because some teenagers are more likely to smoke for reasons other than addiction, preventing initiation at a young age may simply shift initiation to a later age, and eventual smoking rates will not fall if early initiation into smoking is prevented. If, conversely, deterring smoking at a young age reduces the probability a person *ever* smokes, policies aimed at preventing youth smoking may be highly effective in reducing smoking-related costs.

A secondary goal of this paper is to provide new estimates of demand elasticities for youth smoking participation decisions. Several studies suggest that youth smoking is considerably more price elastic than smoking by adults (Evans and Huang 1998; Harris and Chan 1999; Tauras and Chaloupka 1999). Conversely, DeCicca, Kenkel, and Mathios (2002) report that initiation into smoking at ages 13 through 16 is not affected by price (albeit only when controlling for state fixed effects); a similar result is reported by Gruber (2000). Jones and Forster (2001) find that age of initiation is little affected by price, but that price increases smoking cessation rates. However

Tauras, O'Malley, and Johnston (2001) report that probability of initiation is significantly reduced by higher prices. There is, then, little consensus in the empirical literature on youth smoking.

Gilleskie and Strumpf (2000) note that such estimates of smoking behaviour are often difficult to interpret because past smoking is usually not modelled, yet theory suggests that addiction decreases elasticity. Gilleskie and Strumpf find that past smoking causes current smoking and emphasize important differences in the price elasticities of never smokers and previous smokers, with previous smokers exhibiting essentially no price sensitivity. The causal effect of past smoking on current smoking is also discussed by Glied (2002), who focuses on the long-term effects of prices faced at age 14. Glied finds that taxes at age 14 have substantial effects on contemporaneous smoking, but that the effect diminishes quickly over time. Gruber (2000) reports that about one-half of changes in cohort-specific youth smoking rates persist into adulthood. In related contexts, Williams (2004) finds that high school drinking causes college drinking, and a large literature shows that programs that reduce youth illicit drug use have short- but not long-term effects (e.g., Clayton, Cattarelo, and Johnstone 1996), which implies that preventing early initiation defers but does not prevent eventual initiation. The evidence on the causal effect of current substance abuse on future substance abuse is then inconclusive, with studies focusing on young teenagers tending to find small or insignificant effects.

The *causal effect* of smoking at time  $t$  on smoking at time  $t + 1$  is referred to in the economics literature as *addiction* (a definition that may not be consistent with physiological or psychological uses of the term). Correlation in smoking status over time is also induced by *unobserved heterogeneity* in smoking determinants, that is, some individuals may simply be more likely to take up or continue smoking regardless of their past (or future) smoking decisions. Becker and Murphy's (1988) canonical model of the consumption of addictive goods emphasizes that addiction to a given good is a behavioural trait that generally varies across people. For policy purposes, it is particularly important to realize that individuals likely to change their smoking behaviour as a result of policy changes may experience different addictive effects than people farther away from the margin. Thus, an econometric analysis of addictive behaviour should disentangle addiction from unobserved heterogeneity and should allow for the possibility that addiction varies across individuals.

To that end, this paper exploits recently proposed econometric models that allow causal effects to differ with observed characteristics and also across observationally identical individuals (Aakvik, Heckman, and Vytlačil 2005). The model may be described as one of endogenously switching binary response regressions estimated using the method of full information maximum likelihood under the assumption that the errors are drawn from the class of multivariate Student's- $t$  distributions. Survey data on Canadian youths in the 1990s provide information on smoking patterns during a period in which prices vary substantially over time and over regions.

The econometric results suggest that addictiveness varies greatly with both observed and unobserved characteristics. Smoking is addictive for almost all respondents, but much less so for those who do initiate early or who are likely to be influenced to change early initiation decisions by changes in policy. A change in incentives that deters early initiation will reduce eventual smoking rates, but by a much smaller amount than might be suggested by methods that ignore unobserved heterogeneity or recover average rather than local causal effects. Youths who initiate early tend to be less prone to addiction than their counterparts who choose not to initiate early, which is the selection pattern we would anticipate given that smoking is a harmful addiction. Further, prior smokers are less responsive to changes in both price and non-pecuniary incentives than other youths, which suggests that failing to model previous smoking behaviour may yield misleading results. A policy simulation suggests that transient high tobacco tax rates in Canada between 1991 and 1994 reduced *eventual* smoking rates in this cohort by 1.4 to 2.5 percentage points.

## 2. Causal model for adolescent smoking

Because of its addictive nature, smoking status at any time depends in a complex manner on the entire sequence of previous starts and quits and thus the entire sequence of past and future prices. Recasting this complex behaviour as a two-step sequential problem allows the core issue – how much of the correlation between current and past smoking behaviour is causal and how much reflects unobserved heterogeneity – to be addressed in a feasible manner. Smoking at age 14 is modelled as a non-randomly assigned ‘treatment.’ Quasi-randomization occurs in the form of a natural experiment: Variation in prices at age 14 affects smoking decisions at age 14, but does not affect subsequent smoking decisions conditional on decisions at age 14. Intuitively, the causal effect of past smoking on current smoking is identified by comparing the eventual smoking rates of youths who faced high prices when young with comparable youths who faced lower prices.

Cast in this manner, smoking decisions over time can be modelled using the well-developed framework for analysis of heterogeneous treatment effects recently developed in numerous papers including Imbens and Angrist (1994), Angrist, Imbens, and Rubin (1996), and Heckman (1997). The analysis here draws on that of Aakvik, Heckman, and Vytlačil (2005), who develop a model appropriate for binary outcomes when responses to treatment are heterogeneous, assuming the errors are multivariate normal. A version of this model is implemented here, which relaxes the distributional assumption by allowing the errors to be drawn from the class of multivariate Student distributions. Heckman, Tobias, and Vytlačil (2000) discuss two-step estimation of models with Student errors and continuous outcomes. Similar causal models are studied in a Bayesian framework by Imbens and Rubin (1997) and Chib and Hamilton (2001).

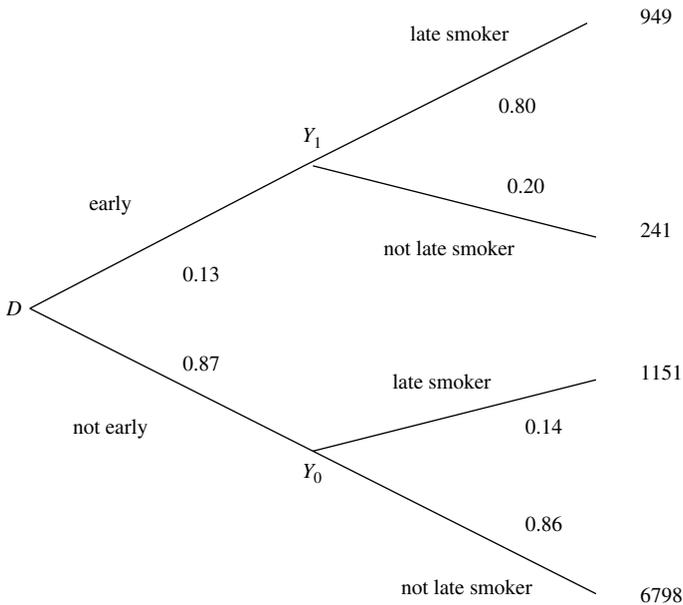


FIGURE 1 Decision tree

NOTES: The first node, labelled  $D$ , represents the decision over whether to initiate early into daily smoking. Nodes  $Y_0$  and  $Y_1$  represent subsequent state-dependent smoking decisions. Number of respondents in the YSS at is noted at each endpoint ( $n = 9,139$ ), and conditional proportions are listed on each branch.

2.1. Latent variable model

The fundamental inference problem arises because a given respondent is not observed both smoking by age 14 and not smoking by age 14. Using the notation

- $D_t$  indicator for early initiation into daily smoking
- $Y_{1t}$  indicator for smoking in late adolescence if early initiator
- $Y_{0t}$  indicator for smoking in late adolescence if not early initiator,

where  $t$  indexes individuals, only one of  $Y_{0t}$  and  $Y_{1t}$  is observed. The observed outcome,  $Y_t$ , smoking status in late adolescence, may be written

$$Y_t = D_t Y_{1t} + (1 - D_t) Y_{0t}. \tag{1}$$

Figure 1 shows the decisions modelled along with some descriptive statistics from the dataset introduced in the following section. Most youths who initiate early continue to smoke in late adolescence, and most youths who do not initiate early do not smoke later in life;  $D$  and  $Y$  are highly correlated.

If both  $Y_{0t}$  and  $Y_{1t}$  were observed, it would be trivial to calculate the causal effect of early initiation on late adolescent smoking behaviour for individual  $t$ ,

$$\delta_t \equiv Y_{1t} - Y_{0t}, \quad (2)$$

where  $\delta_t$  represents the change in late adolescent smoking status resulting from a change in early initiation status. This causal effect can be given an economic interpretation as the *addictiveness* of smoking for individual  $t$ . Generally, this effect will vary across individuals with differing observed characteristics and also across individuals who are observationally identical.

A model allowing the effect of early initiation on subsequent smoking to vary with observed and unobserved characteristics is developed below. Suppose, instead, conventional econometric models of the form

$$Y_t^* = X_t\alpha + \delta D_t + \xi_t \quad (3)$$

were estimated, where the  $*$  superscript denotes a latent outcome,  $X_t$  is a vector of observed smoking determinants,  $\alpha$  are parameters, and  $\xi_t$  is an error term. The parameter  $\delta$  might be referred to as ‘the’ causal effect of  $D$  on  $Y^*$ . This straightforward interpretation is problematic when we allow that the effect of  $D$  on  $Y^*$  varies across individuals. Instrumental variables estimates of (3) generally converge to neither the population average effect nor the average effect of treatment on the treated. Instead, the instrumental variables estimate of  $\delta$  converges to a difficult-to-interpret weighted average of local average causal effects (Imbens and Angrist 1994).

More formally, suppose the causal effect of  $D$  on  $Y^*$  varies across individuals according to the process

$$\delta_t = X_t\phi + \varepsilon_t, \quad (4)$$

where  $\varepsilon_t$  is individual  $t$ 's idiosyncratic causal effect and  $\phi$  is a vector of parameters. Instrumental variables estimates of (3) recover neither the mean of  $\delta_t$  nor the mean of  $\delta_t$  in the treated subpopulation ( $D = 1$ ) unless  $\varepsilon_t$  does not affect treatment status or  $\varepsilon_t$  has zero variance, in which cases average and marginal treatment effects are equal (Heckman 1997). In the general case, propensity to initiate early is correlated with the causal effect of initiating early. That correlation implies that the effect of early initiation will be not be the same in the groups who do and do not initiate early – that is, youths who take up smoking early will generally not experience the same addictive effect of smoking as youths who do not take up smoking early. Further, youths induced to change early smoking initiation by changes in incentives will generally experience different addictive effects than youths farther away from the margin. Since we may be most interested in these marginal youths for policy purposes, it is useful to develop an empirical model that explicitly characterizes the relationship between propensity to initiate early and the effect of initiating early on subsequent smoking.

To develop a model allowing causal effects to vary across individuals, first notice that (3), with  $\delta$  replaced by  $\delta_t$ , and (4) can be reparametrized

$$\begin{aligned} Y_{1t}^* &= X_t\alpha + X_t\phi + (\xi_t + \varepsilon_t) = X_t\beta_1 + U_{1t} \\ Y_{0t}^* &= X_t\alpha + \nu_t &= X_t\beta_0 + U_{0t}, \end{aligned} \quad (5)$$

that is, specifying the switching regression (5) for the treatment-dependent outcomes is analytically equivalent to allowing the effect of  $D$  on  $Y$  to vary with both observed and unobserved smoking determinants. Further suppose that latent early initiation propensity  $D_t^*$  is generated by a process of the form

$$D_t^* = Z_t\gamma + U_{Dt}, \quad (6)$$

where  $Z_t$  is a vector of covariates and  $U_{Dt}$  is unobserved propensity to initiate early into daily smoking. Since  $U_{Dt}$  will generally be correlated with addictiveness attributable to unobservables ( $U_{1t} - U_{0t}$ ), the estimated addictiveness for a given individual will generally depend on the value or range of  $U_{Dt}$ . In section 4.3 various concepts of mean causal effects are discussed; these effects differ in that they condition on different values of  $U_D$ .

The model to be estimated consists of equations (5) and (6), dropping subscripts for individuals,

$$\begin{aligned} D^* &= Z\gamma + U_D \\ Y_1^* &= X\beta_1 + U_1 \\ Y_0^* &= X\beta_0 + U_0, \end{aligned} \quad (7)$$

and the mapping from latent outcomes to observed outcomes,

$$\begin{aligned} D &= 1[D^* > 0] \\ Y_1 &= 1[Y_1^* > 0] \\ Y_0 &= 1[Y_0^* > 0]. \end{aligned} \quad (8)$$

## 2.2. Error structure

The 'textbook' error structure for (7) is the multivariate normal distribution. However, simultaneous equation models with limited dependent variables are often sensitive to the assumed error distribution (e.g., Goldberger 1983). To reduce the dependence of the estimates on distributional assumptions, the errors are allowed to follow a multivariate Student's- $t$  distribution with degrees of freedom  $\nu$ , where  $\nu$  is an estimated parameter. This distribution has the advantages that it nests the Gaussian distribution, which obtains as  $\nu \rightarrow \infty$ , but exhibits 'thicker tails' than that of the Gaussian distribution for low values of  $\nu$ . The error density can be expressed

$$t_\nu(u, \Sigma) = \frac{\Gamma(1/2(\nu + 3))}{\Gamma(\nu/2)\sqrt{|\Sigma|(\nu\pi)^3}} \left[ 1 + \left( \frac{1}{\nu} \right) u' \Sigma u \right]^{-(1/2)(\nu+3)}, \quad (9)$$

where

$$\Sigma = \begin{pmatrix} 1 & \sigma_{D1} & \sigma_{D0} \\ \sigma_{D1} & 1 & - \\ \sigma_{D0} & - & 1 \end{pmatrix}. \quad (10)$$

$\Sigma$  is the covariance matrix of the errors when  $\nu > 2$ . The covariance between  $U_1$  and  $U_0$  need be neither estimated nor normalized because it does not enter the likelihood and thus has no effect on the parameter estimates reported in section 4.1, nor does it affect the mean causal effects reported in section 4.3.<sup>1</sup>

### 2.3. Identification and estimation

Because of non-linearities, parametric identification obtains from the distributional assumptions without exclusion restrictions. Identification is much more plausible in the presence of exclusion restrictions on the outcome equations, which induce exogenous variation in propensity to be treated without affecting outcomes. Price at age 14 is assumed to affect early initiation but not subsequent smoking behaviour conditional on behaviour at age 14. Theory suggests future price should be included in the initiation equation, but, like the results of Gilleskie and Strumpf (2000), current and future price were found to be highly colinear, which made estimates difficult to interpret while adding little explanatory power to the model. This result is also consistent with the explanation that youths were unable to make good forecasts of prices years into the future at the time of initiation.

The structural model was estimated using the method of full information maximum likelihood, such that asymptotic efficiency is obtained and the inherent nonlinearities in the model are captured. Estimation proceeds by maximizing the log of the likelihood over the parameters  $\{\gamma, \beta_0, \beta_1, \sigma_{D0}, \sigma_{D1}\}$  for a given  $\nu$ , repeating as the value of  $\nu$  is varied to find the Student distribution that best fits the data. Specialized quadrature algorithms developed by Genz and Bentz (2002) were used to evaluate rectangle probabilities under the multivariate Student's- $t$  density. A combination of a gradient-free simplex method and Newton–Raphson based methods was used to converge to the maximum. The likelihood is presented in an appendix.

<sup>1</sup> This result follows because only the bivariate distributions  $(D, Y_0)$  and  $(D, Y_1)$  are required to form the likelihood and to calculate conditional means of  $(Y_1 - Y_0)$ . The joint distribution of  $(Y_1, Y_0)$  is required to calculate ‘distributional’ treatment parameters; see Aakvik, Heckman, and Vytlacil (2005, section 3.2) and the references on this issue therein.

TABLE 1  
Variable definitions and descriptive statistics

Variable	Definition	Mean	Std. dev.
smokes0	=1 early smoking initiator	0.130	0.336
smokes1	=1 daily smoker in 1994	0.229	0.420
price(age14)	real tobacco price at age 14	0.921	0.119
price(1994)	real tobacco price 1994	0.748	0.179
born 1978	=1 born in 1978	0.213	0.409
born 1977	=1 born in 1977	0.202	0.402
born 1976	=1 born in 1976	0.180	0.384
born 1975	=1 born in 1975	0.163	0.369
father smokes	=1 father currently smoker	0.341	0.474
father former smoker	=1 father former smoker	0.345	0.475
sibling smokers	# of siblings or other non-parental household member who are smokers	0.175	0.722
mother smokes	=1 mother currently smoker	0.312	0.463
mother former smoker	=1 mother former smoker	0.272	0.445
non-smoking friends	# non-smoking close friends	3.943	4.019
smoking friends	# close friends who smoke	2.265	3.927
smoking teachers	=1 one-half or more teachers smoke	0.247	0.431
taught smoking risky	=1 taught in school smoking is unhealthy	0.810	0.391
good student	=1 above average school performance	0.287	0.452
medium student	=1 average school performance	0.530	0.499
bad student	=1 below average school performance	0.032	0.178
has job	=1 has a paying job	0.515	0.499
hours worked / week	# hours works for pay if employed	9.143	13.618
health above avg	=1 health is above average	0.307	0.461
health below avg	=1 health is below average	0.060	0.239
workplace restrictions	=1 smoking restricted at workplace	0.244	0.430
smoking risks named	# health problems named (max = 10)	2.305	1.310
can legally smoke	=1 R. is old enough to legally buy tobacco	0.264	0.441
knows legal smoking age	=1 R. correctly states legal smoking age	0.813	0.389
male	=1 male	0.510	0.499

NOTES:  $n = 9,139$ . Omitted category for student performance measures is non-students.

### 3. Data

The primary dataset is the 1994 Youth Smoking Survey (YSS). The YSS was conducted by Statistics Canada in fall 1994 to gather information on youth smoking behaviour. This paper uses the sample of 15- to 19-year-olds drawn as a supplement to the Labor Force Survey. A key advantage of these data is that the sampling universe includes youths who have dropped out of school, as Gilleskie and Strumpf (2000) find, using a similarly rich dataset, that the smoking behavior of dropouts and students differs. Table 1 displays definitions of the variables used in the analysis and descriptive statistics. The overall response rate for the survey was 81.1%; see Statistics Canada (1996) for further information on the sampling design.<sup>2</sup>

2 The data are a probability sample but this feature is ignored in most of the analysis. Weighted estimation of single-equation models yielded qualitatively similar results to unweighted estimation.

Early initiation status is ascertained from retrospective questions. Respondents are classified as early initiators if they responded that they had smoked a whole cigarette, had smoked at least one whole cigarette every day for seven consecutive days, and they were 14 or younger when they first began such smoking behaviour.<sup>3</sup> Respondents were classified as late adolescent smokers if they reported that in 1994 (when they were age 15 through 19) they had smoked on at least 21 days in the last month. Roughly 92% of respondents who were classified as late adolescent smokers reported that they smoked every day during the preceding month.

Socioeconomic controls include dummies for year of birth, self-reported health status, whether respondents were still in school, and whether they considered themselves good, average, or poor students if they were still in school. Whether or not the respondents were still in school, they were classified as having a job or not, and the hours per week they worked were included if they were employed.

The effect of social interactions on smoking is frequently emphasized in both the economic and public health literatures (Ary and Biglan 1988; Krauth 2001). Controls for social interactions include indicators for parents' current and past smoking status, number of siblings or other non-parental household members who smoke, and number of close friends who do smoke and who do not smoke. A final social interaction effect is given by a variable indicating the respondent reported that 'more than half' or 'almost all' the teachers at the respondent's school smoke. These variables are potentially endogenous, but it is not feasible to expand the model to allow them to be simultaneously determined, owing to both data limitations (further instruments would be required) and computational feasibility. Very few papers are able to control for both price effects and peer effects (Sen and Wirjanto 2003; Powell, Tauras, and Ross 2003), so these variables are of more than nuisance interest. To check robustness of the results to the inclusion of these potentially endogenous regressors the model is estimated including and not including the peer and sibling smoking measures.

Finally, measures of perceived non-pecuniary costs of smoking were constructed. Respondents were asked a sequence of questions regarding whether various specific ailments could result if 'someone smoked for many years,' such as lung cancer, heart disease, bronchitis, and so forth. The number of 'yes' responses to these questions was included as a measure of subjective health risks, as is an indicator the student was taught in school that smoking poses health risks. If the respondent has a job, an indicator that smoking is restricted at the workplace was included. To control for variation in the minimum legal smoking age, an indicator labelled 'can legally smoke' was constructed for the condition that the student is old enough to legally purchase tobacco products

3 A potential concern is misclassification due to the use of retrospective responses. This concern is mitigated by the relatively brief interval and the results of Kenkel, Lillard, and Mathios (2003), who report that the use of retrospective smoking data introduces modest bias.

in his province of residence. A dummy indicating the respondent correctly stated the provincial legal smoking age is also included.<sup>4</sup>

Notice that most of these variables are recorded in late adolescence; the YSS does not contain repeated observations on sociodemographic information. However, following an argument of DeCicca, Kenkel, and Mathios (2002), these responses were included as covariates in the early initiation equation as well. Many of these variables vary over time; however, heterogeneity in preferences, influences, school performance, health, and family structure in late adolescence is likely to reflect similar heterogeneity at age 14. Further, if respondents are able to forecast future changes in the values of these characteristics, dynamic optimization implies that future values will predict contemporaneous choices. Indeed, we will find that many of the covariates as reported in late adolescence are highly significant determinants of early initiation.

Province-specific tobacco product price indexes, deflated by the all-items CPI, as reported by Statistics Canada were merged with the YSS data. Price in September 1994 was used as the relevant price in late adolescence (denoted 'price(1994)'), and price in September of the year the respondent turned 14 was used to proxy price at age 14 (denoted 'price(age 14)'). Owing to data limitations, this procedure makes the strong assumption that the respondent has not moved across provinces between the year they were 14 and 1994. Use of one-year moving averages of monthly prices instead of these measures produced qualitatively similar results in preliminary estimation, but with less precisely measured demand slopes.

## 4. Results

### 4.1. Structural parameter estimates

Model selection proceeded by repeatedly estimating the structural model as the degrees of freedom parameter for the multivariate Student's-*t* distribution was varied. The results of this exercise are presented in table 2. For these data, the textbook Gaussian model is massively rejected against 'fatter tailed' densities. The preferred model is Student with five degrees of freedom.

The structural parameter estimates for the preferred model are displayed in table 3. The slope parameters have been converted to mean marginal effects to facilitate interpretation.<sup>5</sup> Price at age 14 is a statistically significant predictor of early initiation into smoking ( $t = -2.11$ ). In single-equation probits of

4 The legal smoking age in 1994 was 18 in PEI, Quebec, Ontario, Saskatchewan, Manitoba, and Alberta and 19 in all other provinces. In December 1994 Ontario increased the legal age from 18 to 19; either response was considered correct and 18-year-olds were classified as legal purchasers in Ontario.

5 Following Aakvik et al. (2005), the mean marginal effect of a continuous regressor  $z_k$  in the early initiation equation ( $D$ ) is defined as  $E_Z [\partial \Pr(D = 1|Z)/\partial z_k]$ , where  $E_Z$  denotes the expectation operator taken with respect to the distribution of  $Z$ . In this paper the mean marginal effect of a dummy regressor  $z_j$  is calculated as  $E_Z [\Pr(D = 1|Z_{-j}, z_j = 1) - \Pr(D = 1|Z_{-j}, z_j = 0)]$ , where  $Z_{-j}$  denotes the elements of  $Z$  excluding  $z_j$ . Both expressions are estimated using the arithmetic average over the sample of numerical evaluations of the terms in brackets. Expressions for  $Y_1$  and  $Y_0$  follow analogously.

TABLE 2  
Model selection from class of Student distributions

d.f.	log-likelihood
5	-5,626.30
6	-5,635.30
10	-5,663.18
15	-5,682.29
20	-5,693.77
$\infty$	-5,746.27

NOTES: Each row corresponds to estimates of the structural model conditional on the errors having a multivariate Student's- $t$  distribution listed degrees of freedom, where infinite degrees of freedom denotes the Gaussian model. All listed distributions may be rejected in favour of  $t_5$  at conventional significance levels ( $2[L_5 - L_\nu] \sim \chi^2_1$  under the null that the true value of  $\nu$  is 5).

smoking in late adolescence (not reported), price had no significant effect after stratifying by early initiation status ( $t = 0.41$  for early initiators,  $t = -0.36$  for non-early initiators), informally suggesting that price at age 14 satisfies the conditions required for an instrumental variable: it is correlated with the treatment decision but uncorrelated with the outcomes conditional on treatment. Price has smaller effects in late adolescence conditional on early smoking behaviour. Table 4 displays smoking participation demand slopes expressed as elasticities. Initiation by age 14 is price elastic: on average, a 10% increase in cigarette prices leads to a 13% decrease in probability of early initiation. However, conditional on early initiation behaviour, demand is inelastic for non-early initiators and essentially unrelated to price for early initiators.

Estimated effects of the other covariates are typically of the anticipated sign and are usually precisely estimated. Cohort effects are large in the early initiation equation, with older cohorts less likely to smoke all else equal. In the late adolescent smoking equations, the birth year dummies capture both the effect of age on smoking propensity and cohort effects, which cannot be disentangled without strong cross-equation restrictions. These results reflect large changes in youth smoking behaviour in Canada observed during the early 1990s.

Perhaps the most striking result in table 3 is that the statistical association between the smoking behaviour of friends and family and the respondent's smoking behaviour is greater than that for prices, risks, and other demographic characteristics. Having a mother who smokes is associated with a 6.1 percentage point increase in early initiation probability ( $t = 7.2$ ) and a 6.4 percentage point increase in late adolescent smoking probability if the respondent does not initiate early ( $t = 6.3$ ). Each smoking friend the respondent has increases probability of early initiation by 1.0 percentage point ( $t = 13.5$ ), whereas each non-smoking friend decreases probability of early initiation by 3.3 percentage points ( $t = 21.5$ ). It is not, however, valid to infer that having

TABLE 3  
Maximum likelihood estimates of structural smoking model (coefficients expressed as marginal effects)

Variable	$D$		$Y_1$		$Y_0$	
	Coef	t-ratio	Coef	t-ratio	Coef	t-ratio
price(age14)	-0.175	-2.162				
price(1994)			0.013	0.609	-0.135	1.713
born 1978	-0.036	-4.081	0.061	4.158	0.078	2.801
born 1977	-0.062	-6.838	0.052	3.290	0.102	2.992
born 1976	-0.118	-6.628	0.058	1.957	0.108	2.560
born 1975	-0.116	-5.094	0.048	1.177	0.132	2.877
father smokes	0.017	1.989	0.000	-0.019	0.025	2.524
father former smoker	0.000	0.104	-0.006	-0.391	0.014	1.426
sibling smokers	0.028	7.992	0.022	3.303	0.062	13.296
mother smokes	0.062	7.224	-0.009	-0.487	0.064	6.271
mother former smoker	0.033	3.589	-0.019	-1.005	0.048	4.807
non-smoking friends	-0.033	-21.480	-0.005	-0.704	-0.050	-29.918
smoking friends	0.010	13.476	0.000	0.343	0.017	18.918
smoking teachers	0.014	1.721	0.000	0.097	0.006	0.693
taught smoking risky	-0.008	-0.963	-0.002	-0.113	-0.037	-3.839
good student	-0.058	-4.964	-0.017	-0.528	-0.089	-6.562
medium student	-0.042	-3.726	-0.014	-0.534	-0.053	-4.238
bad student	0.006	0.383	-0.047	-1.178	-0.006	-0.287
has job	0.003	0.342	0.008	0.532	-0.006	-0.579
hours worked / week	0.000	1.557	-0.000	-1.199	0.000	1.847
health above avg	-0.038	-4.634	0.000	0.109	-0.074	-7.921
health below avg	0.073	6.253	0.029	1.465	0.133	8.438
workplace restrictions	-0.038	-4.279	0.019	1.078	-0.007	-0.621
smoking risks named	0.012	4.830	-0.000	-0.355	0.024	8.590
can legally smoke	0.018	0.215	0.016	0.352	0.003	-0.018
knows legal smoking age	0.048	5.091	0.037	1.579	0.089	7.261
male	-0.001	-0.238	0.024	1.989	0.038	4.387
$\sigma_{D1}$			-0.586	2.234		
$\sigma_{D0}$			-0.629	2.960		

NOTES: Marginal effects of covariates on smoking probabilities. Columns labeled  $D$  denote estimates of initiation equation,  $Y_1$  smoking status in late adolescence if early initiator, and  $Y_0$  smoking status if not early initiator. t-ratios are against null that associated coefficient is zero. Omitted category for student performance measures is non-students. Each equation includes a constant. Log-likelihood = -5,626.30.

friends and family who smoke causes the respondent's smoking behaviour owing to endogeneity of several varieties discussed in, for example, Manski (2000). See section 4.7 for further discussion.

Respondents who reported they were still in school in 1994 were less likely to be early initiators and less likely to take up smoking in late adolescence if they did not initiate early, except if they reported being poor students, in which case they were about as likely as school leavers to initiate early (note that the omitted category is school leavers). Males and females initiated early at

TABLE 4  
Price elasticities

Smoking decision	Elasticity	Std. err.
early initiation ( $D$ )	-1.268	0.633
late adolescent if early initiator ( $Y_1$ )	0.012	0.031
late adolescent if not early initiator ( $Y_0$ )	-0.165	0.100

NOTE: Table gives point elasticities of smoking participation with respect to contemporaneous price changes.

roughly the same rate, but males were 3.8 percentage points more likely to take up smoking in late adolescence if they did not initiate early ( $t = 4.4$ ).<sup>6</sup>

Smokers were likely to report diminished health status; for example, a youth who reported that his health in 1994 was below average was 7.3 percentage points more likely to be an early smoking initiator ( $t = 6.3$ ). Whether this result obtains because smoking causes substantially lower perceived health for youths or because unhealthy youths are more likely to take up smoking cannot be inferred from these data. Youths who believed smoking is more damaging to health were *more* likely to have initiated early and more likely to take up smoking later in adolescence if they did not initiate early. This result is consistent with the findings of Viscusi (1992) and Agee and Crocker (2001).

Comparing determinants of smoking for early initiators and non-early initiators shows that generally smoking behaviour of the former group is less sensitive to changes in smoking determinants. That is, not only price but most determinants of smoking have less effect for addicted youths. Models that do not allow smoking determinants to vary with previous smoking behaviour may assume away economically meaningful changes in incentives.

#### 4.2. Selection on unobservables

The estimated correlations between the unobservables,  $\sigma_{D0}$  and  $\sigma_{D1}$ , are large and statistically significant. The data reject the hypothesis that selection into early smoking initiation is random after conditioning on observed covariates.<sup>7</sup> The signs imply

$$\text{Cov}(U_1 - U_0, U_D) \ll 0, \quad (11)$$

that is, a youth who is unobservably more likely to become addicted ( $\uparrow U_1 - U_0$ ) is less likely to initiate into smoking ( $\downarrow U_D$ ). Youths who experience the greatest costs of smoking, in the sense of acquiring a harmful addiction, are

6 Controlling for sex differences in smoking patterns by using a dummy may obscure important differences in smoking behaviour that cannot be captured by shifts in the constant. A Chow-like LR test against the null that the coefficients in probit models of early initiation (not reported) are the same for men and for women yields a p-value of 0.025, suggesting that there are sex differences in smoking determinants and possibly addiction patterns, the investigation of which is left for future research.

7 The null hypothesis  $\sigma_{D0} = \sigma_{D1} = 0$  is soundly rejected by an LR test ( $p < 10^{-3}$ ).

least likely to smoke, such that sample selection occurs in the anticipated manner. This result is consistent with the variants of the rational addiction model in which individuals have imperfect information on addictiveness and select accordingly (Orphanides and Zervos 1995; Wang 1999).

#### 4.3. *Heterogeneous addiction*

This section discusses the causal effect of early initiation on late adolescent smoking probability. The causal effects of interest are means of  $Y_1 - Y_0$  over different conditioning sets, as discussed in, for example, Aakvik, Heckman, and Vytlačil (2005). Auld (2002) presents the expressions used to evaluate the causal effect parameters for the multivariate Student model. In the present case, the causal effect may be considered to measure the level of addictiveness of smoking in the sense of Becker and Murphy (1988), who define an activity as addictive if increases in current consumption *cause* increases in future consumption.

As a baseline to contrast with the distributions of results calculated from the structural model, simple conventional regression models were first estimated. Ordinary least squares estimates equation (3), where  $X$  includes the covariates listed in table 3, yielded an estimate of  $\delta$  of 0.519 ( $t = 48.11$ ); that is, early initiation is associated with a 52 percentage point increase in the probability of late adolescent smoking. Probit regression produced similar results. Two-stage least squares, instrumenting  $D$  with past price, gives an estimate of 0.463 ( $t = 0.90$ ). This estimate ignores non-linearities in both stages, is difficult to interpret when causal effects vary across respondents, and produces an imprecise estimate because linear models are very sensitive to a lack of strong instruments (the excluded instrument, price at age 14, has a  $t$ -statistic of  $-2.04$  in the linear model). Conventional estimates, then, show that  $Y$  and  $D$  are still highly correlated after being residualized with respect to observed covariates and suggest that treating  $D$  as exogenous to  $Y$  overestimates the causal effect of  $D$  on  $Y$ .

Table 5 summarizes the estimated distributions (induced by variation in  $X$ ) of each causal effect calculated from the structural model. Standard errors and 90% confidence intervals for the mean effects parameters were calculated using a parametric bootstrap off the estimated asymptotic distribution of the structural parameters; 1,000 bootstrap replications were used.

First, consider the *average treatment effect* for an individual with characteristics  $X$ ,

$$ATE(X) = E[Y_1 - Y_0|X]; \quad (12)$$

the causal effect conditional on covariates averaged with respect to the distribution of  $U^D$ . The ATE measures how a randomly selected youth with characteristics  $X$  would respond to being forced to initiate early (or to being prevented from initiating early). Table 5 shows that the mean of this effect – averaging over  $X$  and thus providing the empirical analogue of

TABLE 5  
Causal effect of early initiation on subsequent probability of smoking

		Bootstrapped				
		Mean	Std. dev.	Std. err.	percentile:	
					5th	95th
ATE	effect in population	0.706	0.217	0.084	0.504	0.768
TT	effect of early initiation on early initiators	0.102	0.141	0.087	-0.036	0.236
MTE	effect for those at the margin	0.338	0.201	0.137	0.106	0.542
LATE	effect for those who would change treatment in response to a 75% tax change	0.197	0.158	0.125	-0.008	0.402

NOTES: Table shows summary statistics of distributions of the causal effect of daily smoking initiation by age 14 on the probability of daily smoking in late adolescence. MTE is evaluated at indifference point,  $u^D = -Z\gamma$ . *Standard deviation* measures variation of heterogeneous effects across individuals, whereas *standard error* and the percentile estimates are estimates of the sampling distribution of the mean effect based on 1,000 bootstrap samples.

$$E_X[E(Y_1 - Y_0|X)] = \int E(Y_1 - Y_0|X)dF(X), \quad (13)$$

where  $F(X)$  denotes the distribution function of  $X$  – is very large, with a mean effect of about 70 percentage points. Table 5 and figure 2 show that its probability mass is centred on large causal effects. Put another way, the estimates suggest that if the population were exogenously switched from non-early initiation to initiation, late adolescent smoking propensity would increase by 70 percentage points. This is not an economically interesting estimate, since it largely measures effects for youths unlikely to initiate early regardless of policy.

The effect of *treatment on the treated*,

$$TT(X) = E[Y_1 - Y_0|X, D = 1] = E[Y_1 - Y_0|X, U_D > -Z\gamma], \quad (14)$$

measures the effect of early initiation on late adolescent smoking in the sample of youths who actually did initiate early. Because youths who did initiate early tend to have high draws of  $U_D$ , and  $U_D$  is negatively correlated with unobserved addictiveness ( $U_1 - U_0$ ), the causal effect of early initiation among those who did initiate early is much smaller than the average treatment effect, with a mean of 0.104 and a 90% confidence interval for the mean that contains zero. Figure 2 shows that the distribution of  $TT(X)$  has a mode very close to zero and very little probability mass above 40 percentage points. The sample of youths who choose to initiate early experience less addiction than a randomly selected youth with a given  $X$  would: If all of the youths in the YSS who initiated into smoking by age 14 were exogenously prevented from early

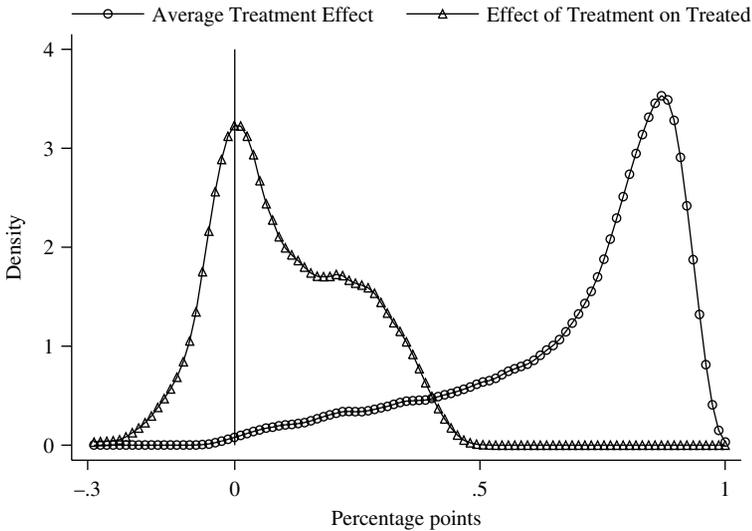


FIGURE 2 Heterogeneous addiction estimates

NOTES: Kernel density estimates of distributions of the Average Treatment Effect (ATE) and effect of Treatment on the Treated (TT), where the ‘treatment’ is early initiation into daily smoking and the outcome is subsequent smoking behaviour. The x-axis measures the percentage point increase in probability of late adolescent smoking caused by early initiation into smoking.

initiation, late adolescent smoking in this group would fall by about 10 percentage points.

The *marginal treatment effect* is the effect of early initiation on subsequent smoking behaviour conditional on given values of  $X$  and  $U_D$ ,

$$MTE(X, U_D) = E[Y_1 - Y_0|X, U_D]. \tag{15}$$

I choose to evaluate marginal effects at the point of indifference,

$$U_D = -Z\gamma. \tag{16}$$

This effect then measures the causal effect for individuals induced into or out of early initiation by a marginal change in  $Z$ . The marginal treatment effect is on average larger than the effect of treatment on the treated and smaller than the average treatment effect.

Finally, consider the *local average treatment effect* of Angrist and Imbens (1994), which under the structure imposed by model (7) takes the form

$$LATE(X) = E[Y_1 - Y_0|X, u_D \in (\underline{Z}\gamma, \bar{Z}\gamma)], \tag{17}$$

where  $\underline{Z}$  differs from  $\bar{Z}$  in that the value of the instruments has been varied.  $LATE(X)$  measures the average effect of early initiation for individuals who would initiate early if the vector  $Z$  were set to  $\underline{Z}$  but who would not initiate early if  $Z$  were set to  $\bar{Z}$ , conditional on  $X$ . Here,  $LATE$  is defined with respect

TABLE 6  
Effect of initiation by age 14 on behaviour at ages 15 through 19

Born	age in 1994	ATE	TT	MTE	LATE
1979	15	0.735	0.240	0.465	0.332
1978	16	0.753	0.147	0.473	0.299
1977	17	0.710	0.034	0.318	0.155
1976	18	0.684	-0.031	0.202	0.079
1975	19	0.620	-0.046	0.160	0.051

NOTES: Table shows means of heterogenous causal effects of early smoking initiation on subsequent smoking behaviour stratified by cohort. Cohorts born earlier experience longer periods of calendar time between early initiation and observation of subsequent smoking behaviour. LATE is defined with respect to a 75% increase in cigarette prices. MTE is evaluated at indifference point,  $u^D = -Z\gamma$ .

to a 75% change in the price of tobacco faced at age 14. This *LATE* measures the average effect of early initiation on subsequent behaviour among youths who would choose to initiate into smoking at observed prices but who would not choose to initiate early if tobacco prices had been 75% higher. Table 5 shows youths deferred from initiating into smoking by such a price increase would exhibit an average 20% lower probability of smoking in late adolescence as a result, holding the price of tobacco in late adolescence constant.

Table 6 breaks this result down by cohort. Older cohorts experience longer intervals of calendar time between age 14 and the time of measurement of their subsequent smoking behaviour. Therefore, we should expect older cohorts to be less influenced by their behaviour at age 14. Table 6 shows that each causal effect decreases with cohort age, monotonically but for one exception. For example, the estimates suggest that youths who choose not to take up smoking by age 14 because of a 75% tax increase would be 33.2 percentage points less likely to smoke at age 15 but only 5.1 percentage points less likely to smoke at age 19. The estimates suggest the effect of preventing youths from taking up smoking by age 14 is largely temporary; smoking behaviour at onset of adulthood is similar to what it would have been had early initiation not been prevented.

#### 4.4. Effect of covariates on addiction

Observed predictors of early initiation are quite similar to observed predictors of subsequent smoking behaviour. The correlations between the predicted indexes are

$$\begin{aligned}
 \text{Corr}(Z\hat{\gamma}, X\hat{\beta}_0) &= 0.89 \\
 \text{Corr}(Z\hat{\gamma}, X\hat{\beta}_1) &= 0.42 \\
 \text{Corr}(X\hat{\beta}_0, X\hat{\beta}_1) &= 0.70.
 \end{aligned}
 \tag{18}$$

Observed characteristics that increase probability of early initiation also tend to increase probability of smoking in late adolescence regardless of whether early initiation occurs, and observed characteristics that lead to greater

TABLE 7  
Effect of covariates on addiction

Variable	$E_X \left[ \frac{\partial E(Y_1 - Y_0   X)}{\partial x_k} \right]$	t-ratio
price(1994)	0.049	0.905
born 1978	-0.015	1.426
born 1977	-0.048	0.334
born 1976	-0.047	0.617
born 1975	-0.081	-0.133
father smokes	-0.025	-0.821
father former smoker	-0.021	-0.802
sibling smokers	-0.039	-1.776
mother smokes	-0.074	-2.295
mother former smoker	-0.068	-2.431
non-smoking friends	0.044	2.783
smoking friends	-0.016	-4.021
smoking teachers	-0.006	-0.195
taught smoking risky	0.035	1.096
good student	0.071	1.119
medium student	0.038	0.532
bad student	-0.043	-0.949
has job	0.015	0.671
hours worked / week	-0.001	-1.901
health above avg	0.074	2.355
health below avg	-0.102	-1.129
workplace restrictions	0.027	1.232
smoking risks named	-0.024	-2.475
can legally smoke	0.012	0.418
knows legal smoking age	-0.050	-0.925
male	-0.013	0.201

NOTES: Table shows effect of covariates on average treatment effect ( $E[Y_1 - Y_0 | X]$ ) of early initiation on subsequent daily smoking behaviour. A positive coefficient implies an increase in the covariate is associated with greater addiction. t-statistics are Wald tests against the null hypothesis that the coefficient in the equation for  $Y_0$  is equal to that in  $Y_1$ ; that is,  $\beta_{0k} = \beta_{1k}$ .

probability of late adolescent smoking for early initiators also tend to increase smoking rates among youths who do not initiate early. The degree to which addiction varies with observed characteristics is illustrated in table 7, which displays the effect of observed characteristics on the average treatment effect.<sup>8</sup> If  $x_k$  has a positive effect on  $ATE(X)$ , then an increase in  $x_k$  is associated with an increase in addictiveness as measured by the average treatment effect. For example, table 7 shows each non-smoking friend is associated with an increase in the addictive effect of 4.4 percentage points. Direct inference on the partial effects is difficult; instead, a Wald test is constructed against the null that the coefficients in the two outcome equations are equal, and the associated t-ratios values are also displayed in table 7.<sup>9</sup>

8 Following Aakvik, Heckman, and Vytlačil (2005), the effect of a covariate  $x_k$  on the average treatment effect is calculated numerically as  $E_X [\partial E(Y_1 - Y_0 | X) / \partial x_k]$ .

9 Under the null that the  $k$ th element of  $\beta_0$ ,  $\beta_{0k}$ , is equal to the  $k$ th element of  $\beta_1$ ,

$$[V(\hat{\beta}_{1k} - \hat{\beta}_{0k})]^{-\frac{1}{2}}(\hat{\beta}_{1k} - \hat{\beta}_{0k}) \sim \mathcal{N}(0,1).$$

Much like table 6, table 7 shows that changes in behaviour at age 14 have an effect on subsequent behaviour that diminishes over time. The causal effect of early initiation is 8.1 percentage points less for 19-year-olds than 15-year-olds (although this effect is not statistically significant). Generally, covariates associated with increased probability of early initiation are associated with lower addiction, as anticipated, given results (18). Consistent with result (11), the correlation between determinants of early initiation and determinants of addictiveness attributable to observables is negative and large in magnitude,

$$\text{Corr}[Z\hat{\gamma}, X(\hat{\beta}_1 - \hat{\beta}_0)] = -0.94, \quad (19)$$

that is, an observed trait that increases the probability that a youth initiates early also tends to decrease the causal effect of initiating early on subsequent smoking behaviour. Taking result (11), the results presented in table 7, and the result immediately above together, the evidence suggests that youths most likely to smoke – because of either observed or unobserved determinants – tend to be youths for whom smoking is less addictive, in the sense that their current smoking decisions are less affected by their past smoking decisions.

#### 4.5. *Simulating counterfactual tax policy*

The federal, and in some cases also provincial, cut in tobacco tax rates in 1994 has been widely criticized by anti-smoking groups (e.g., Canadian Cancer Society 1999), and Hamilton et al. (1997) present evidence that quit rates were lower and initiation rates higher in provinces in which taxes were reduced in 1994. In this section, the estimated structural model is used to conduct an experiment evaluating the effect on youth smoking rates from changes in tobacco taxes. Suppose neither the 1994 decrease nor the 1991 increase in taxes occurred. Imagine, instead, that prices from September 1989 through September 1994 were held constant at their September 1990 levels rather than the levels that occurred historically.

How would youth smoking rates in late 1994 have differed under this scenario? The counterfactual question is difficult to answer within a conventional econometric framework because the total effect depends on all of: the effect of price changes on initiation decisions, the addictiveness of smoking among youths affected by price changes and how this addictiveness varies with observed and unobserved characteristics, and on the contemporaneous effect of price on smoking propensity, which in turn varies with previous smoking behaviour.

Table 8 shows early initiation and late adolescent smoking frequencies observed in the data, simulated probabilities evaluated at historical prices, and simulated probabilities evaluated at the counterfactual prices. The first four columns demonstrate that the model is able to mimic observed smoking frequencies extremely well. Even cohort-specific predicted rates are identical to observed frequencies to two decimal places, which lends credibility to the counterfactual simulation results.

TABLE 8

Simulation results. Counterfactual tax policy leaves prices at 1990 levels through sampling period

Born	Simulated at							
	Observed		Historical prices		Counterfactual prices		Change	
	<i>D</i>	<i>Y</i>	<i>D</i>	<i>Y</i>	<i>D</i>	<i>Y</i>	<i>D</i>	<i>Y</i>
1979	0.167	0.155	0.167	0.150	0.222	0.184	0.055	0.034
1978	0.142	0.214	0.143	0.216	0.188	0.237	0.045	0.021
1977	0.121	0.236	0.120	0.235	0.158	0.247	0.038	0.012
1976	0.092	0.268	0.092	0.264	0.092	0.263	0.000	0.000
1975	0.113	0.313	0.114	0.311	0.108	0.308	-0.006	-0.003
Overall	0.130	0.230	0.130	0.228	0.160	0.242	0.030	0.014

NOTES: Table shows simulation results stratified by cohort and for the entire sample. Columns labelled *D* report means of early initiation choices, and columns labelled *Y* report means of smoking decisions in late adolescence. The columns labelled 'change' displays the differences between the simulated outcomes at counterfactual and historical prices.

The counterfactual results indicate that, had the tax increase over 1991–4 not occurred, early initiation would have risen three percentage points from 13% to 16%. Because the causal effect is relatively low for youths induced to alter behaviour by such price changes, the long-term effect is smaller. Counterfactual smoking probability is predicted to be 1.4 percentage points higher among 15- through 19-year-olds. There is substantial variation in this effect across cohorts. The oldest two cohorts, who were 14 in 1989 and 1990, experience counterfactual prices at time of early initiation that are unaltered or little changed under the counterfactual scenario. These cohorts then have very similar historical and counterfactual smoking profiles. The younger cohorts face substantially higher prices at age 14 and take up smoking at lower rates. The youngest cohort is predicted to increase early initiation frequency from 16.7% at observed prices to 22.2% under the counterfactual prices, a 5.5 percentage point increase, which translates into a 3.4 percentage point increase in smoking at age 15 because of addiction. This eventual effect falls to 2.1 percentage points for 16-year-olds and to 1.2 percentage points for 17-year-olds.

The simulation results suggest that, had the transient tax hike never occurred, smoking rates among youths who were 15 through 19 in 1994 would have been about 1.4 percentage points higher than occurred historically. Older youths in this cohort experience smaller changes in their behaviour as a result of past tax changes than their younger counterparts.

#### 4.6. Robustness to exclusion of social interaction terms

The covariates measuring the smoking behaviour of the respondents' friends and family are potentially endogenous. The respondent's own smoking behaviour may affect the smoking behaviour of others, youths may form friendships based on characteristics such as smoking behaviour, and families

TABLE 9  
Robustness to exclusion of social interaction terms

	With interactions	Without interactions
<i>Elasticities</i>		
early initiation ( $D$ )	-1.268	-1.579
late adolescent smoking if early initiator ( $Y_1$ )	0.012	0.203
late adolescent smoking if not early initiator ( $Y_0$ )	-0.165	-0.233
<i>Causal effects</i>		
Average treatment effect	0.706	0.716
Effect of treatment on treated	0.102	0.139
Marginal treatment effect	0.338	0.387
Local average treatment effect	0.197	0.219
<i>Simulation results (all cohorts)</i>		
Predicted $D$ at counterfactual prices	0.160	0.174
Predicted $Y$ at counterfactual prices	0.242	0.253

NOTES: The first column displays results calculated from the structural model including controls for the smoking behaviour of friends and siblings. The second column displays the same results when these covariates are excluded from the structural model.

may sort across neighbourhoods on characteristics correlated with smoking rates (Manski 2000). Either conditioning on or excluding endogenous covariates is potentially problematic, and therefore the main results are presented in this section with and without peer effects to check robustness.

Results with and without friend and sibling interaction terms are presented in table 9. The first column displays the result calculated from the structural model including controls for the smoking behaviour of friends and siblings, as previously discussed. The second column shows the results calculated from a structural model excluding these controls.

When friends' and siblings' smoking behaviour is not held constant, the price elasticity of early initiation rises in magnitude from about  $-1.3$  to about  $-1.6$ . Similarly, the price elasticity of smoking participation in late adolescence if early initiation does not occur changes from  $-0.16$  to  $-0.23$ . The late adolescent smoking behaviour of early initiators becomes somewhat *more* positively related to price, although this result is very imprecisely estimated ( $t = 0.56$ ). This increase in the elasticity of demand when peer effects are not held constant is similar to the findings of Sen and Wirjanto (2002) and Powell, Tauras, and Ross (2003). The estimates here suggest that peer effects on smoking initiation decisions may be much greater than peer effects on cessation decisions.

The causal effect estimates increase slightly when peer effects are excluded. The mean marginal treatment effect increases the most, from 0.338 to 0.387. The increase in price elasticities translates in the simulations into a larger effect of a given transient price change on eventual smoking rates because the given change in price is estimated to cause greater changes in contemporaneous behaviour, which in turn translates into larger effects over time. Early

initiation frequency at (lower) counterfactual prices rises from 0.160 in the model with peer effects to 0.174 in the model excluding peer effects, and the change in overall smoking rates is predicted to be 2.5 percentage points, as opposed to 1.4 points in the model without peer effects.

Overall, the major results are very similar with and without conditioning on the behaviour of friends and family. When such behaviour is not held constant, youths are estimated to exhibit greater response to price changes and the addictive effect of past behaviour on current behaviour increases modestly.

## **5. Conclusions**

Correlation over time in smoking behaviour could be attributable to either a causal effect of past on current smoking (i.e., an addictive effect) or correlation over time in tastes and other incentives to smoke. Preventing youth smoking will only reduce adult smoking rates to the extent that this correlation reflects causality. In this paper an econometric model was developed and estimated to measure causality over time in the smoking behaviour of Canadian youths in the 1990s, paying particular attention to the theoretical prediction that addictiveness varies across people, and therefore marginal youths whose smoking patterns are changed by policy may experience different addictive effects than other youths.

The results suggest that smoking is addictive for almost all youths. However, youths who do start smoking early or who are likely to be prevented or induced to take up smoking early by policy changes experience a much smaller addictive effect than other youths. The average youth in the population, for example, experiences an increase in the probability of late adolescent smoking of 71 percentage points if she is exogenously induced to initiate smoking early. However, this effect is only 20 percentage points in the sub-population of marginal youths who would change their smoking status in response to a 75% change in tobacco prices. Further, the marginal causal effect of smoking at age 14 on subsequent smoking behaviour diminishes rapidly with age, essentially vanishing by age 19. Consistent with the results of Glied (2002), the estimates suggest that policies that deter early initiation will not have large effects on eventual smoking rates.

The estimated structural model suggests that initiation decisions in early adolescence are price sensitive (with an elasticity of  $-1.3$ ), but that, conditional on early smoking status, later decisions are little affected by price. The model further reveals that smoking is less sensitive to changes in incentives other than price for addicted youths. If social interaction effects are excluded from the model, the price elasticity of smoking initiation markedly increases in magnitude, but, conditional on previous initiation, smoking propensity is inelastic even when peer behaviour is not held constant.

**Appendix: The likelihood function**

The observed outcomes for an individual are  $(Y, D, X, Z)$ . Given the structure imposed by equations (7) and (8) and the assumption that the errors  $U$  are distributed multivariate Student's  $t$ , the contributions to the likelihood take the form of bivariate integrals over the Student density. For example, conditional on degrees of freedom  $\nu$ , the probability of observing the event  $(D = 1, Y = 1)$ , given  $(X, Z)$  (suppressing subscripting for individuals), is

$$\Pr(D = 1, Y = 1 | X, Z, \nu) = \int_{-Z\gamma}^{\infty} \int_{-X\beta_1}^{\infty} t_{\nu}(s; \Sigma_{D1}) ds,$$

where  $\Sigma_{D1}$  denotes the  $2 \times 2$  covariance matrix of  $(U_D, U_1)$  and  $t_{\nu}(\cdot)$  denotes the bivariate Student density with degrees of freedom  $\nu$ , as given by equation (9) in the text. This expression follows from the properties of the multivariate Student distribution; see Johnson and Kotz (1972).

The likelihood function conditional on  $\nu$  can be expressed

$$\begin{aligned} L &= \prod_{D=0, Y_0=0} \int_{-\infty}^{-Z\gamma} \int_{-\infty}^{-X\beta_0} t_{\nu}(s; \Sigma_{D0}) ds \\ &\times \prod_{D=0, Y_0=1} \int_{-\infty}^{-Z\gamma} \int_{-X\beta_0}^{\infty} t_{\nu}(s; \Sigma_{D0}) ds \\ &\times \prod_{D=1, Y_1=0} \int_{-Z\gamma}^{\infty} \int_{-\infty}^{-X\beta_1} t_{\nu}(s; \Sigma_{D1}) ds \\ &\times \prod_{D=1, Y_1=1} \int_{-Z\gamma}^{\infty} \int_{-X\beta_1}^{\infty} t_{\nu}(s; \Sigma_{D1}) ds, \end{aligned} \tag{20}$$

where  $\Sigma_{Dj}$  denotes the  $2 \times 2$  covariance matrix of  $(U_D, U_j)$ .

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# LONG TERM EFFECTS OF TOBACCO PRICES FACED BY ADOLESCENTS

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## Abstract

We estimate the effects of tobacco prices faced in adolescence on smoking patterns of adults aged 19 to 40. Use of large repeated cross-sectional surveys in Canada in the early 2000s allows us to exploit substantial and plausibly exogenous tax changes across time and regions which occurred roughly a decade earlier. Results from a variety of econometric techniques suggest that there is a small but detectable long-run effect of price faced during adolescence. A 10% increase in prices faced during adolescence, holding contemporaneous prices constant, leads to at most a 1% reduction in smoking propensity and intensity in early to mid adulthood, and we cannot reliably reject the hypothesis that the long term effect is zero. The results are sensitive to specification and to how price during adolescence is measured.

**JEL Classification:** I12, I18, C2

**Keywords:** smoking, addiction, tobacco tax, adolescents.

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# Long Term Effects of Tobacco Prices Faced by Adolescents

## 1 Introduction.

A policy intervention deters a youth from initiating into smoking. Does the intervention merely defer initiation, such that the youth will become an adult smoker, or is initiation deterred? The efficacy of policies targeted at reducing youth smoking hinges on this question, yet little relevant evidence has been presented in the literature. In this paper we contribute by estimating the long-run effects of changes in tobacco taxation policy. Our empirical strategy is designed to exploit large changes in cigarette prices in Canada from 1991 to 1994. We use data from repeated waves of the Canadian Community Health Survey (CCHS) data drawn from 2001, 2003 and 2005 to study changes in smoking status as various cohorts faced highly variable prices at peak initiation ages. Our major finding is that high prices faced during adolescence exert a small but detectable effect on smoking patterns later in life: A 10% increase in average cigarette prices faced over ages 12 through 18 leads to a one percentage point reduction in probability of daily smoking in adulthood. We show that these results depend on econometric specification, in particular, that previous studies which focused on price faced at age 14 rather than over a larger span of adolescence may find misleading small effects.

We are particularly interested in the long-run effect of taxation. Other smoking control policies such as clean indoor air laws, restrictions on cigarette use for the youth, and health warnings, may be effective, but taxation is widely considered to be the most

effective policy instrument (Warner et al., 1995). A substantial empirical literature on youth demand typically finds that youth price elasticities are much larger than adult elasticities.<sup>1</sup> It is tempting to conclude that high youth elasticities directly imply that taxation is an effective control policy. However, if high taxes faced in youth defer instead of deter initiation, the long run effects will be small even when contemporaneous effects are large.

High youth elasticities with no long-run effect will occur if correlation in smoking behavior over time is not due to a causal effect of past smoking on current smoking, but can rather be attributed to persistence in preferences, peer and social influences, and contextual effects over time. The literature, conversely, sometimes interprets correlation between youth smoking outcomes and adult smoking outcomes as evidence of a causal effect of youth smoking on adult smoking. For example, Paul et al. (2009) find that 14 or 15 year olds who report having experimented with cigarettes are 2.72 times more likely to report daily smoking two decades later than counterparts who had not experimented. The authors conclude that reducing experimentation will, therefore, reduce adult smoking. However, the set of youths who choose to experiment is not randomly selected, and it is possible that reducing experimentation will have less effect than anticipated, or even no effect, even given that experimentation and early initiation predict higher smoking propensity much later in life. In the terminology of Becker and Murphy (1988), a causal effect of past smoking on current smoking for a given person means by definition that smoking is *addictive* for that person. If smoking is an addictive behavior in this sense, then policies which reduce smoking in youth will cause reduced smoking in adulthood. Conversely, if smoking is not addictive, then policies which reduce youth smoking will

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<sup>1</sup>Carpenter and Cook (2008); Cawley et al. (2004); Harris and Chan (1999); Lewitt and Grossman (1981); Tauras and Chaloupka (1999). However, DeCicca et al. (2008) argue that the “conventional wisdom may have it exactly backwards” as their results suggest youth smoking initiation is very inelastic and cessation only moderately elastic. Similarly, Sen and Wirjanto (2009) use Canadian data spanning the tax shocks we also exploit in this paper to show that youth smoking elasticities are modest, around 0.10 to 0.14, much lower than reported by previous studies.

have no effect, other things equal, on adult smoking. Correlations between youth and adult smoking patterns generally cannot disentangle causation from correlation.

Previous studies conclude that the long-run effect is small. Auld (2005) estimates a model in which past smoking is interpreted as an endogenously assigned treatment on current smoking. Auld shows that marginal smokers are less influenced by past smoking than average smokers, and in part due to this heterogeneity the causal effect of past on current smoking diminishes rapidly with age. However, Auld only studies smoking behavior up to age 19. Gilleskie and Strumpf (2005) treat lagged cigarette consumption as an endogenous regressor in adolescent cigarette demand models and, similarly, find past consumption causes current consumption. Glied (2002, 2003) presents estimates of the effect of price faced at age 14 on adult smoking behavior using the NLSY79 panel. Glied finds that the effect at age 30 is less than half the contemporaneous effect and the effect at age 40 is essentially zero. Similarly, Gruber and Zinman (2001) finds that, in a sample of pregnant women, the effect of taxes at ages 14 through 17 is reduced to about 25% of the contemporaneous effect by age 24. Eisenberg and Rowe (2009) use the Vietnam draft lottery as a natural experiment to study the effect of smoking in early adulthood (age 19 to 22) on smoking later in life. They show military service increases contemporaneous smoking propensity by 35 percentage points, but this effect dwindles to 11 percentage points by age 25 to 30 and to essentially nothing by ages 45 to 55. Thus, the small body of literature to date on long smoking dynamics unanimously suggests that prior smoking does not substantially cause current smoking over the medium to long run.

We contribute to this literature in several ways. Our basic approach is similar to that of Glied (2002): we estimate models of adult smoking in which we include prices faced during adolescence as covariates. We use Canadian data from 2001 through 2005, an ideal sampling period for our purposes since very large tax changes across time and

regions in Canada roughly a decade prior give us large variation in past price. Our data are less informative per respondent than those of previous studies using panels because we cannot control in detail for time-varying characteristics during youth, nor do we observe region of residence during youth, but our cross-sections provide about an order of magnitude more observations than are available in most panels. We address the issue that, theoretically, every past price ought to affect current smoking patterns in more detail than previous work by assessing the sensitivity of the estimates to various different measures of youth prices. Finally, we study both participation decisions and intensity of smoking.

## **2 Data.**

### **2.1 The Canadian Community Health Survey.**

The CCHS is a cross-sectional survey conducted biannually by Statistics Canada since 2001. The CCHS collects information on health status, health care utilization, and health determinants for the Canadian population. We use the first three cycles, 2001, 2003, and 2005. We restrict the sample to young adults (aged 19 through 40) because tobacco taxes in Canada exhibited little variation until the early 1990s, so price faced as youths exhibits little variation for older respondents. Further, we use retrospective information on smoking experimentation and initiation, and recall bias is presumably more of a problem as the time interval increases (Kenkel et al., 2004). The key advantages of using CCHS data are that first, the CCHS sample sizes are large. Since we restrict the sample to young adults, smaller datasets, including panels, would not provide sufficient observations. Second, the sampling window 2001 through 2005 occurs roughly a decade after large Federal and provincial changes in taxes that occurred in 1991 through 1994, so that we have substantial variation in lagged prices.

The CCHS provides rich data on smoking patterns and retrospective questions on smoking history. We use retrospective information on experimentation as measured by age at which the respondent reports first smoking a whole cigarette and age at initiation into daily smoking. Contemporaneous smoking patterns are captured by an indicator for daily smoking, number of cigarettes smoked per day for daily smokers, and an indicator for former daily smoking. A person is considered as a daily smoker if he smoked each day in the month prior to the interview. A former smoker has smoked at least 100 cigarettes in his life but does not currently smoke. A never-smoker is neither a current nor former smoker.

Table 1 displays descriptive statistics for the key variables. The ethnicity of a respondent is ascertained from a question addressing his country of birth. Immigration status is derived based on his current age and year of landing in Canada. If the respondent's age upon landing in Canada was less than 12, we set an immigrant dummy to unity. If the respondent was older than 12, we cannot observe the relevant youth price cleanly and drop the observation. Socioeconomic variation is captured by a set of dummy variables indicating educational levels and a set of dummies indicating household income ranges. Finally, we include indicators for marital status and pregnancy.

## **2.2 Tobacco taxation in Canada.**

Tobacco taxes in Canada in the early 1990s were highly variable. A large Federal tax increase in 1991 substantially raised prices over the previous year. The price of a carton of 200 cigarettes rose from roughly \$35 in 1990 to almost \$50 in 1991. Studlar (2002) notes that Canadian tobacco taxes from 1984 to 1991 quadrupled while American taxes increased by less than 50%—taxes in Canada averaged about seven times the U.S. level. Prices remained uniformly high until 1994. By 1994 concern over smuggling across the U.S. border resulting from the tax-induced price differential lead to a \$14 to \$21

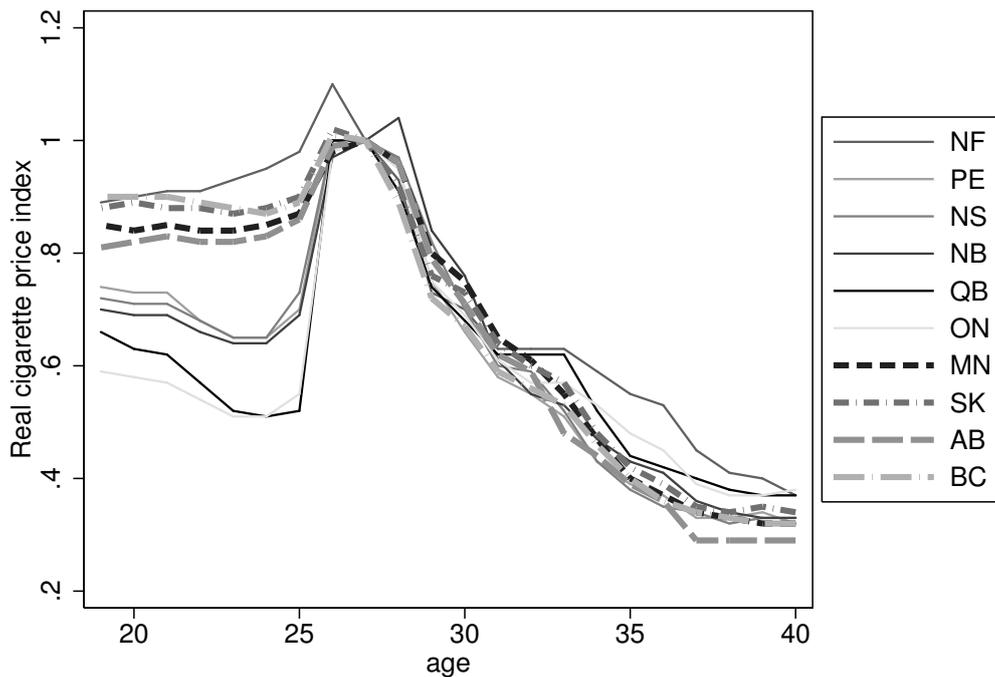
reduction in the price of a pack of 200 cigarettes in Ontario, Quebec, New Brunswick, Prince Edward Island, and Novo Scotia, whereas the price of cigarettes remain relatively high in the Western provinces and in Newfoundland. These large changes in price over time and regions were not the result of regional health concerns over smoking and can be considered exogenous to smoking decisions (Hamilton et al., 1997).

Theory suggests the entire sequence of past (and in some models, future) prices affect current smoking patterns (Becker and Murphy, 1988). Empirical models must make simplifying assumptions in the interest of tractability. Previous research on long-run tax effects focuses on prices faced at age 14, the peak of the hazard into smoking. We investigate the robustness of this simplification by contrasting several different notions of “price faced during adolescence:”

1. Cigarette price at age 14.
2. Average cigarette price over ages 14 through 16.
3. Average cigarette price over ages 12 through 18.

Figure 1 displays cigarette prices faced by CCHS respondents when they were age 14 against their age at the time of the CCHS interview. Relatively young respondents tended to face high prices, and the 1991 through 1994 period of particularly high prices can be observed as a “bump” in price faced at age 14 for respondents in roughly their late twenties at the time of the CCHS interviews. Also apparent in the graph is high variability across provinces for respondents in their early twenties, and little variation across time or provinces for respondents in their mid to late thirties.

Averaging over longer age spans smoothes the price series. Since price at ages other than 14 affects initiation and cessation behavior, using price at age 14 and ignoring prices at other ages may introduce a substantial omitted variables problem. We assess how sensitive estimates are to these various price measures. We use the consumer price



**Figure 1: Cigarette prices faced at age 14.** *Real cigarette price index faced by CCHS respondents when they were aged 14, by Canadian province, plotted against current age.*

index for tobacco, obtained from Statistics Canada, to measure changes in cigarette prices over time. Statistics Canada began to collect cigarette prices at the provincial level since 1979. Thus, we use a sample of individuals aged 19 to 40 years old in the period 2001 to 2005. For instance, a 40 years old respondent in 2005 was 14 years old in 1979, so we can find the cigarette price he faced at age 14 if we know which province he resided in at that age.

### 2.3 Problems arising from use of retrospective smoking histories.

A major limitation we face in using cross-sectional data is that we do not observe province of residence during adolescence. We assume that the respondent's current

province of residence was also his province of residence during adolescence, thus introducing measurement error. The resulting bias is likely to be small. First, from 1995 to 2004 a calculation by the authors using the longitudinal National Population Health Survey in Canada shows roughly 10% of the respondents aged 12 to 40 years old in 1994 had moved across the provinces from 1994 to 2003. Second, although cigarette prices in Canada have varied substantially over time, there was not much disparity in the prices across the provinces during the period 1979-1994 (as can be seen in Figure 1). Third, prices across provinces are spatially correlated and moves are more likely to be to nearby than distant provinces. Finally, to assuage remaining concern, we conducted a small Monte Carlo experiment to make a crude assessment of the magnitude of the bias given the features of our data. More details are provided in the Appendix. Ignoring the other two mitigating factors and focusing just on random assignment of price for the 10% of movers in our sample, we find the relative bias introduced by measurement error is about 10%. The expected ratio of estimated price coefficients using real prices ( $\hat{\beta}_{\text{true}}$ ) to coefficients estimated when 10% of prices are randomly assigned ( $\hat{\beta}_{\text{error}}$ ) is estimated as

$$E \left[ \frac{\hat{\beta}_{\text{error}}}{\hat{\beta}_{\text{true}}} \right] \approx 0.900. \quad (1)$$

This is not a surprising result since textbook results tell us the ratio of the limit of our estimator using mismeasured covariates to the limit using the true covariates is equal to the proportion of variance in the mismeasured covariate attributable to variation in the true covariate, but it is not obvious how much of the variability in observed prices is due to noise from unobserved cross-province moves, and the simulation serves as an illustration of the magnitude of the effect.<sup>2</sup> For the reasons above the realized bias in our sample is likely to be smaller still. Since our sample of roughly 95,000 observations

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<sup>2</sup>That is, if  $\sigma_x^2$  is the variance of the covariate in a univariate model and  $\sigma_\epsilon^2$  is the variance of the measurement error, then  $\frac{\hat{\beta}_{\text{error}}}{\hat{\beta}_{\text{true}}} \rightarrow \frac{\sigma_x^2}{\sigma_x^2 + \sigma_\epsilon^2}$ .

implies our standard errors will be roughly three times smaller than comparable estimates using one-tenth as many observations, as we might be able to construct using a panel such as the NLSY, we view the cost of the modest attenuation bias introduced by our inability to observe province of residence during adolescence to be smaller than the benefit of increased precision. Nonetheless, we interpret our estimates keeping in mind that they are slightly biased towards zero.

### 3 Methods.

The econometric goal is to estimate the effect of youth prices on adult smoking patterns as measured by an indicator for daily smoking and, conditional on daily smoking, number of cigarettes per day. As part of our empirical strategy, we also estimate the contemporaneous effect of youth prices on age of experimentation, age of initiation, and the probability of initiation during adolescence.

Following Auld (2005), we have in mind an underlying structural model of dynamic smoking decisions of the form,

$$S_0 = X_0\beta_0 + \theta_0P_0 + u_0 \tag{2}$$

$$S_1 = X_1\beta_1 + \theta_1P_1 + \delta S_0 + u_1, \tag{3}$$

where subscript 0s denote observations during adolescence and subscript 1s adult outcomes,  $S$  is a measure of smoking status,  $X$  are vectors of covariates,  $P$  is tobacco prices,  $u$  are error terms, and  $\{\beta, \theta, \delta\}$  are conformable vectors of unknown parameters. Our goal here is not to recover estimates of the causal effect of past smoking on current smoking ( $\delta$ ), so we avoid all of the issues that arise in estimation of simultaneous equations by estimating reduced forms. Equation (2) is estimable subject to the limitation that we do not observe time-varying characteristics during youth  $X_0$ . However, many

of the characteristics we condition on do not vary over time, and others (such as education and household income) can be considered to proxy characteristics during youth. Therefore, we estimate equation (2) using various measures of smoking experimentation and initiation, so that  $S_0$  variously measures age of first experimentation with smoking, age of initiation into daily smoking, or a dummy indicating initiation during various age windows. We use ordinary least squares (OLS) to estimate these models, which has the interpretation of linear probability modeling when the outcome is binary. We avoid models, such as probit, which specify nonlinear relationships to model binary or otherwise limited outcomes because we are only interested in estimating marginal effects and specifically not in out of sample forecasting, as advocated by, for example, Angrist and Pischke (2009).

Substituting equation (2) into equation (3) and noting that we do not observe  $X_0$ , the reduced form for adult outcomes is

$$S_1 = X_1\beta_1 + \theta_1P_1 + \delta\theta_0P_0 + \nu, \quad (4)$$

where we abuse notation slightly and let  $\beta_1$  denote a linear combination of the past and current effects of covariates on smoking and  $\nu = \delta u_0 + u_1$  is a composite error term. The parameter of most interest is the coefficient on lagged price. Equation (4) shows the coefficient on lagged price is the product of the causal effect of youth smoking on adult smoking,  $\delta$ , and the effect of youth price on youth smoking,  $\theta_0$ . This coefficient is the policy-relevant estimand: it tells us how much adult smoking changes as we vary lagged tobacco prices, holding current prices and personal characteristics fixed. For example, if the smoking outcome under consideration  $S_1$  is a dummy indicating daily smoking as an adult, then a coefficient on  $P_0$  of 0.2 would be interpreted as: a one-unit increase in youth price, as else equal, induces 20 percentage points lower probability of adult smoking. In some models we treat  $S_1$  as polychotomous, taking ordinal values

representing three mutually exclusive states: current former, former smoker, and never smoker. We estimate these models using standard multinomial logit regressions.

We attempt to learn about the effects of youth prices on adult smoking intensity (as measured by number of cigarettes smoked per day) as well as smoking participation. In some models, then,  $S_1$  varies continuously on the positive part of the real line and should be interpreted as censored. As past price varies, the set of respondents observed as current smokers changes systematically, and estimates which do not correct for this non-random selection into adult daily smoking confound selection effects with movements along cigarette demand curves for daily smokers (Jones, 1989). Various simultaneous nonlinear models have been proposed to address this issue.<sup>3</sup> However, these models typically involve specifying *ad hoc* distributional assumptions. The data also present a problem in that we do not observe smoking intensity for smokers who do not smoke on a daily basis. For these reasons, and for the sake of simplicity, we report OLS estimates of intensity using the subsample of daily smokers. We expect selectivity bias to be a minor problem here as we will show that youth participation price elasticities are very small, which implies that the set of smokers does not vary much as youth price varies. In all models we base inference on robust covariance matrix estimates adjusted for clustering at the province-cycle level, and in all models we fully stratify on sex as previous research suggests men and women respond differently to various smoking incentives (Aristei and Pieroni, 2009).

In some specifications we are interested in how the effect of youth price on adult smoking varies with age. We anticipate, for example, that variation in price at age 14 will have a larger effect on the smoking outcomes of a 20 year old than a 40 year old, all else equal. Our large sample allows us to estimate age-price interactions without

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<sup>3</sup>See for example Cameron and Trivedi (2005), Chapter 16.

imposing a functional form. These models take the form

$$S_1 = X_1\beta_1 + \theta_1 P_1 + \sum_{a=19}^{40} \phi_a d(a) P_0 + \nu \quad (5)$$

where  $d(a)$  is an indicator equal to unity if the respondent is aged  $a$  years and equal to zero otherwise. The set of estimated coefficients,  $\phi_a$ , nonparametrically recover the pattern of responses to a change in youth price across ages.

Finally, we note that we have attempted to maintain as large a sample size as possible in all models, and as a result the number of observations differs across models due to differences in missingness in variables used in the models. We re-ran all models with consistent sets of observations and found no qualitatively interesting differences.

## 4 Results.

### 4.1 Effect of adolescent price on experimentation and initiation.

We begin by investigating whether analysis of the retrospective information in our data yields estimates of the effect of price faced during youth on experimentation and initiation consistent with the literature. These estimates do not tell us whether higher youth taxes defer or deter initiation, but they do shed light on the effect of youth price on youth smoking, the parameter  $\theta_0$  in equation (2). If  $\theta_0$  is very small we should not expect youth price to have large effects on adult smoking regardless of how addictive smoking is.

Table 2 displays estimates of experimentation and initiation models. The first two columns display estimates of age of experimentation as measured by the age the respondent reports first smoking a whole cigarette. For each of the three measures of youth

price, higher prices are associated with higher age of experimentation. Youth price is highly statistically significant, and the pattern of point estimates is stable across men and women. The magnitude of the price effect becomes larger as we average over longer intervals, but are always qualitatively small, ranging from an elasticity of 0.03 for price at age 14 to an elasticity of 0.07 for men when youth price is measured as average price faced across ages 12 through 18. Put another way, the estimates suggest that a 50% increase in youth price leads to an increase in mean age of initiation of about five months for the average respondent.

The second two columns of Table 2 display estimates of age of initiation into daily smoking. Across measures of price and sex, higher prices are associated with higher initiation ages, albeit not always statistically significantly. Women's initiation ages are more responsive than men's and, as in the experimentation results, youth price measures which average over longer intervals yield higher point estimates of elasticities. The estimated elasticities range from 0.01 to 0.03, which are economically small even when statistically significant. A 50% increase in youth price increases age of initiation by roughly four months.

The final two columns in Table 2 reveal that higher youth prices decrease conditional probability of initiation. For each measure of price, the estimates show the elasticity of probability of initiation by the upper end of the age interval over which price is measured to price. For example, for the model in which price is averaged over ages 12 through 18, the estimates suggest that a 10% increase in price reduces probability of initiation by age 18 by about 0.44% for men and 0.34% for women. Unlike the age of initiation and experimentation models, price has smaller point estimates when averaged over longer periods, and price is not statistically significant when averaged over ages 12 through 18. The largest point estimate suggests that a 10% increase in price faced over ages 14 through 16 decreases probability of initiation by age 16 for females by 0.6%. These

estimates are consistent with those of Sen and Wirjanto (2009), who also used Canadian data spanning the 1991 through 1994 tax shocks and find modest youth participation elasticities.

We interpret these results as evidence that the retrospective information in our data on smoking histories is accurate enough to recover estimates of youth smoking demand consistent with those in the literature. Higher prices faced during peak initiation years lead to delayed or deferred experimentation with tobacco and delayed or deferred initiation into daily smoking. The contemporaneous effect of price on youth smoking patterns,  $\theta_0$ , is small but not zero. We now turn examine adult smoking patterns.

## 4.2 Effect of adolescent price on adult smoking.

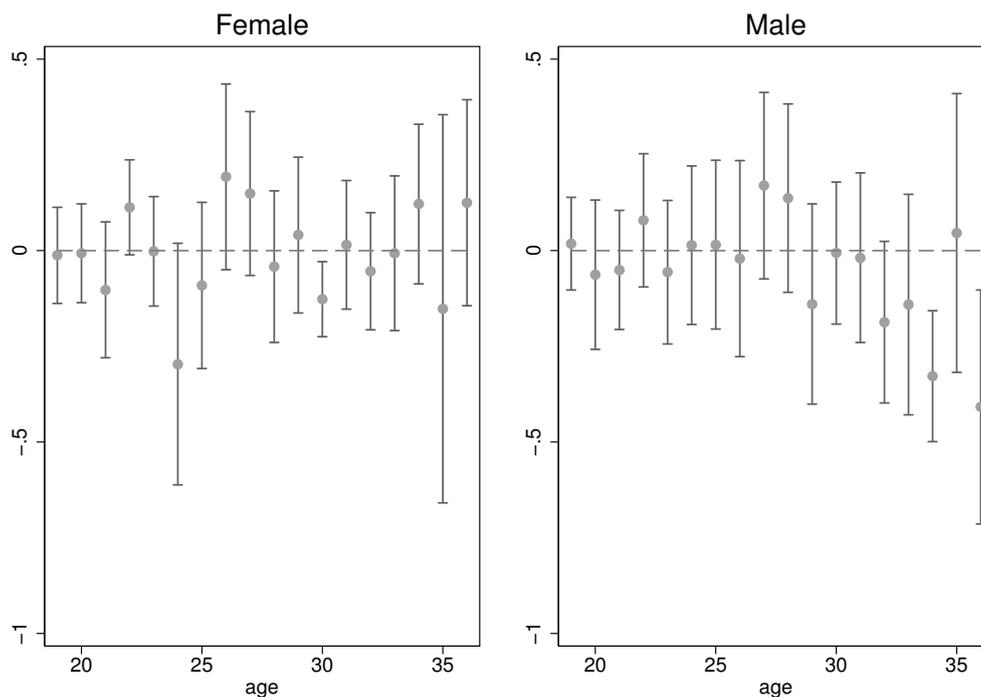
Table 3 displays estimates of equation (3). The dependent variable in the first two columns is an indicator for daily smoking. When we use price at age 14 as our measure of price faced during adolescence we find no discernable effect on adult smoking—the elasticity for men is 0.024 and for women -0.01; neither estimate is statistically significant. When youth price is averaged over longer intervals, we recover estimates with the anticipated negative signs, but the magnitudes are qualitatively small. A 10% increase in price over ages 14 through 16 is associated with a 0.1% decrease in adult smoking for men, although this estimate is not statistically significant. For women, a 10% increase in average price faces at ages 14 through 16 leads to a marginally statistically significant decrease in adult smoking probability of roughly one percent. When we average price over ages 12 through 18 we find that a 10% increase in price faced during youth reduces probability of adult smoking by just under one percent for both men and women, with t-ratios for both sexes just under two.

The second two columns of Table 3 display estimates of the effect of prices faced during adolescence on the number of cigarettes daily smokers consume per day. Again we

find that price at age 14 has economically small and often statistically insignificant effects on adult smoking behavior—a 10% increase in price faced during youth reduces number of cigarettes smoked by about 0.2%, or about one-thirtieth of a cigarette at sample means. When we use average price over ages 14 through 16 increases the magnitude of the elasticity for women to over -0.03, but the effect remains negligible for men. Averaging over prices 12 through 18, conversely, increases the elasticity in magnitude to just under -0.05 for men ( $t=2.3$ ) whereas the elasticity for women changes little relative to that estimated using price at ages 14 through 16.

The goal in this paper is not to estimate adult contemporaneous price elasticities, but in passing note that these elasticities are very small, often of the “wrong” sign, and not statistically significant. Male smokers smoke fewer cigarettes when they face higher prices: a 10% increase in prices decreases consumption by about 3%. Female smoking intensity is less price sensitive, with imprecisely estimated elasticities of around -0.07.

These estimates control for age but average elasticities over all ages. We investigated differential effects of adolescent prices at different adult ages by fully interacting the set of age dummies with youth price (see equation (5)). These results are best expressed as graphs: results are displayed in Figure 2. We anticipate that the effect of prices faced during youth fall with age, as in Auld (2005); Eisenberg and Rowe (2009); Glied (2002); Gruber and Zinman (2001). However, the figure show that there is no clear pattern for either men or women. The point estimates are scattered above and below zero, are rarely statistically significantly different from zero. For men, only the two most negative estimates are statistically significant, and these estimates occur for men in their mid-thirties, not the youngest men in the sample. For women, none of the estimates are individually statistically significant, nor does the pattern of point estimates suggest that the effect of past price is larger in magnitude for younger women. We view these results as evidence against a qualitatively substantial long-run effect of youth price on



**Figure 2: Effect of average price ages 12-18 on adult smoking propensity.** *Estimates of interactions between average tobacco price faced at ages 12 through 18 on probability of smoking at time of CCHS response. 95% confidence intervals with marked point estimates. Models control for contemporaneous price, demographic and socioeconomic characteristics, cycle of CCHS, direct age effects, and province of residence.*

adult smoking patterns. If there were such an effect we ought to observe larger effects for younger adults than older adults, and with our large sample we ought to be able to easily discern effects for young adults.

Taken together, these estimates suggest the effect of youth price on adult smoking behavior is almost certainly very small. Cherry-picking the largest in magnitude elasticities across measures of price and sex, we find that even a 100% increase in price faced during adolescence causes a 9.3% reduction in adult smoking probability (or about 2.4 percentage points at sample means) and reduces number of cigarettes smoked per day by about 5% conditional on daily smoking. The participation elasticities are smaller than those reported by Glied (2002) and comparable to the estimates presented by Gruber

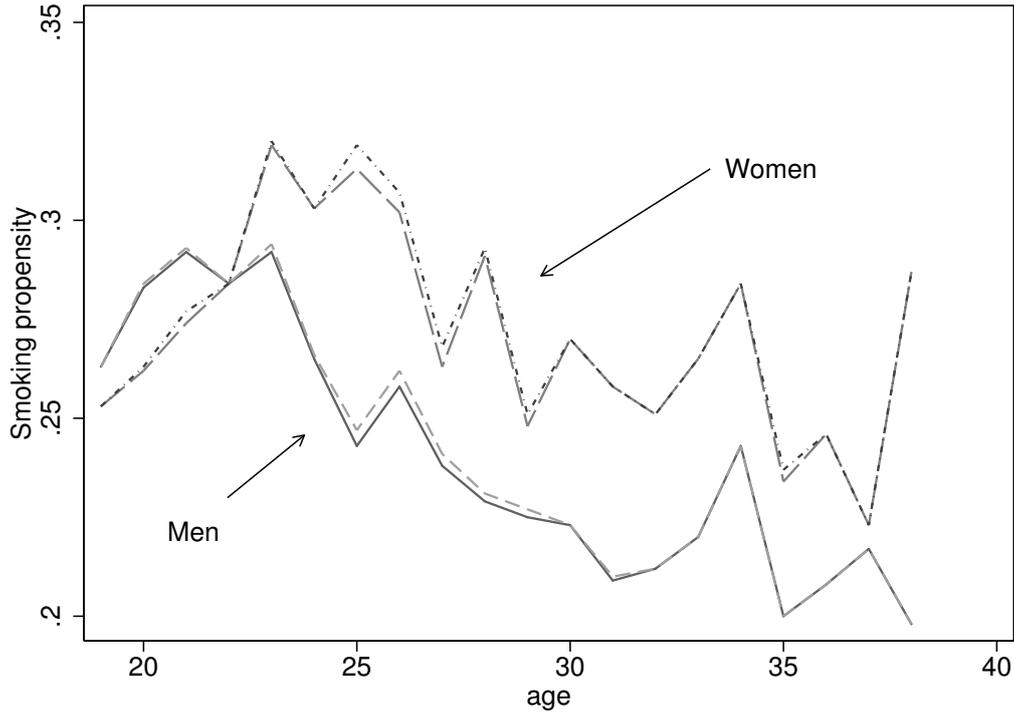
and Zinman (2001) for pregnant women. Unlike Glied, we do not find that men exhibit higher intertemporal elasticities than women, indeed, our estimates weakly suggest the opposite.<sup>4</sup> However, the comparison is difficult due to differences in samples, ages, and price measures.

As a final piece of evidence, in Table 4 we report results of a multinomial logit regression of smoker type on youth and current prices and personal characteristics. We reason as follows: we have shown that youth prices affect youth smoking behavior, increasing age of initiation and reducing probability of youth initiation. If initiation is deterred, we should find that adults who, all else equal, faced higher youth prices are more likely to be never smokers than current or former smokers. If initiation is deferred but not deterred, we should find that adults who faced higher youth prices are no more likely to be never smokers than current or former smokers. For example, recall that the estimates in the last two columns of table 2, bottom row, suggest that a 10% increase in youth prices reduce probability of initiation by age 18 by three to four percent. If youths induced not to initiate by age 18 initiate thereafter, so smoking is deferred but not deterred, we will observe them as current or former smokers, but if they never initiate we will observe them later in life as never-smokers.

Multinomial logit results are reported in Table 4. When we use price at age 14 as our measure of youth price we find no statistically or economically significant effects on smoker type. Average price over ages 14 through 16 modestly increases probability of never smoker, albeit not statistically significantly, and statistically significantly reduces probability of current smoking for women. A 10% increase in youth prices reduces probability of current smoking for women by slightly less than one percent and increases probability of never smoking by about half of one percent. The results for prices over ages 12 through 18 are similar, and the probability of never smoking is statistically

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<sup>4</sup>Stehr (2007) studies sex differences in smoking elasticities in detail and finds that women are roughly twice as responsive as men.



**Figure 3: Simulation results.** *Actual smoking propensities by age predicted from multivariate model (solid lines) and counterfactual smoking propensities predicted under counterfactual prices (dashed lines). Counterfactual prices hold prices in each province at their 1990 levels through the end of 1994, simulating a world in which the 1991 to 1994 increase apparent in Figure 1 did not occur.*

significant for women. These estimates are weak evidence of a long-term effect of youth prices on smoking status later in life. Roughly, the estimates suggest that doubling the price faced by youth would decrease the probability of current smoking later in life by 10% (or about 2.5 percentage points) and increase the probability of never smoking by about 7.5% (or about 1.75 percentage points).

### 4.3 Numerical simulation of counterfactual tax policy.

We have found mixed evidence that cigarette price in youth is a weak determinant of smoking behavior in adulthood; our largest estimates of the elasticity of adult smoking to youth prices are around 0.1. To illustrate the magnitude of the long term effects,

we simulated the proportion of daily smokers using actual and counterfactual cigarette prices. Following Auld (2005), we consider the counterfactual case in which the Federal government did not impose high taxes during 1991 through 1994. We simulate the proportion of smokers using the estimates of equation (4), assigning cigarette prices in 1991 to 1994 using 1990 levels. The results are illustrated in top panel of Figure 3, which displays the difference in the proportion of the smokers for both sexes using the actual and the counterfactual cigarette prices. The figure illustrates the difference in the proportion of daily smokers at ages 21 to 29 for respondents who faced the actual and the counterfactual cigarette prices in youth. Counterfactual adult smoking probabilities are very similar to actual smoking probabilities, although observe that the model predicts a slight counterfactual increase in smoking propensity. These results are consistent with those of Auld (2005).

## 5 Conclusions.

Exploiting large and plausibly exogenous changes in tobacco tax rates in Canada in the early 1990s and large repeated cross-sections, we present evidence on the effects of changes in cigarette prices on smoking during youth and early adulthood. We find that adults in 2001 through 2005 who faced particularly high prices during adolescence due to a transient Federal tobacco tax between 1991 and 1994 were less likely to initiate into daily smoking and, conditional on smoking daily, smoke slightly less than observationally equivalent adults who faced lower prices during peak adolescent initiation years. Higher youth prices are also associated with slightly higher probability of adults reporting that they do not and never have smoked, consistent with a small deterrence effect.

However, we find that these effects are qualitatively very small, and the evidence is mixed. Even with a sample of almost 100,000 individuals price faced during adolescence is often statistically insignificant, and even the largest point estimates suggest the

magnitude of the effect is small. The estimates are sensitive to how we measure price faced during adolescence: previous related research uses price at age 14, but we find that averaging prices over longer age intervals, such as 14 through 16 or 12 through 18, tends to yield larger and more precisely measured estimates. Even picking the largest estimates across sexes, measures of price, measures of smoking propensity and intensity, and empirical strategies yields estimates of the elasticity of adult smoking to youth price on the order of 0.1. That is, a 10% increase in youth price leads to at most roughly a 1% decrease in smoking later in life. Further, we find no clear pattern over age: adults in their early twenties respond to changes in youth price about the same as those in their late thirties.

Our analysis has several important limitations. Perhaps of most concern is our reconstruction of past behavior from retrospective questions. We do not observe time-varying covariates during adolescence, notably, we do not observe province of residence, and hence tobacco price, during adolescence and must assume the respondent has not moved across provinces. Further, retrospective data may be subject to other measurement error, and that error may be more of a problem for older respondents in our sample. We present simulation evidence suggesting that cross-province moves induce very modest attenuation bias, and our estimates of the effects of adolescent price on adolescent smoking patterns are consistent with recent estimates which do not rely on retrospective information, so we believe that our measurement issues are unlikely to be driving the results. Nonetheless, our estimates of the effect of youth price on adult smoking are likely to be biased towards zero, so our results should be interpreted with that caveat in mind.

We conclude that changes in youth smoking patterns induced by tobacco taxation likely carry over, through addiction, to adult smoking patterns, but that this effect is qualitatively small.

## Appendix.

As discussed in section (2.3), we do not observe province of residence during youth and must assume that the respondent has not moved across provinces when assigning past prices. Here, we report on a small Monte Carlo experiment constructed to investigate the magnitude of the resulting attenuation bias in a sampling environment similar to our data.

To mimic the broad features of the data, we set the number of observations per replication to  $n=90,000$ . In each of 30 province-cycle (10 provinces and three cycles) cells we assigned a price  $p_{ij}$  which ranges from -0.25 to 0.072 in steps of 0.024. These numbers were chosen to yield a mean price of 0.6 and an unconditional price standard deviation of 0.2, matching the moments of the data (Table 1). The data generating process was,

$$y_{ij} = -0.1p_{ij} + u_{ij}, \tag{6}$$

where  $i$  indexes simulated observations,  $p_{ij}$  is the price assigned in province-cycle  $j$ , and  $u_{ij} \sim N(0,1)$ . To simulate unobserved moves across provinces, we construct observed price,  $p_{ij}^{error}$ , which equals  $p_{ij}$  with probability 0.9 and with probability 0.1 is set to the price from a randomly drawn province-cycle. We simulated  $R=10,000$  replications from this process.

In table 5 we report selected statistics from the simulations. Estimates using mismeasured prices,  $\hat{\beta}^{error}$ , are attenuated by about 10% relative to (unbiased and consistent) estimates using actual prices ( $\hat{\beta}_{true}$ ). Standard errors are not biased by mismeasurement.  $t$ -ratios against the false null that the true coefficient is zero, denoted  $\hat{t}_{true}$  and  $\hat{t}_{error}$  are, therefore, centered on lower values when we use data subject to measurement error, and tests of the null that the coefficient is equal to zero have diminished power.

We conclude from this exercise that, in our case, measurement error resulting from not observing province of residence during adolescence is not trivial but neither is it

serious. Our point estimates are attenuated by about 10%, with a resulting small loss in power.

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**Table 1:** SUMMARY STATISTICS.

	Population		Female		Male	
	mean	s.d.	mean	s.d.	mean	s.d.
Age smoked first whole cigarette	15.11	3.23	14.93	3.06	15.31	3.39
Age started smoking daily	16.67	3.26	16.41	3.19	16.98	3.32
Daily smoker	0.25	0.43	0.24	0.42	0.27	0.45
Occasional smoker	0.07	0.26	0.07	0.26	0.08	0.27
Cigarettes per day <sup>†</sup>	14.84	7.70	13.35	7.02	16.33	8.11
Current smoker	0.33	0.47	0.31	0.46	0.35	0.48
Former smoker	0.33	0.47	0.34	0.47	0.32	0.47
Never smoker	0.34	0.47	0.35	0.48	0.33	0.47
Current cigarette price	1.05	0.21	1.05	0.21	1.06	0.21
Cigarette price at age 14	0.59	0.21	0.60	0.22	0.59	0.21
Cigarette price at age 14-16	0.62	0.20	0.62	0.20	0.61	0.20
Cigarette price at age 12-18	0.66	0.17	0.66	0.16	0.65	0.17
Less than high school	0.11	0.31	0.09	0.29	0.12	0.33
High school	0.19	0.39	0.18	0.38	0.21	0.41
Post secondary	0.11	0.32	0.11	0.32	0.11	0.31
University	0.59	0.49	0.62	0.49	0.56	0.50
No household income	0.01	0.06	0.01	0.06	0.01	0.07
Income < 5000	0.01	0.11	0.01	0.12	0.01	0.10
Income 5,000- 9,999	0.03	0.17	0.04	0.19	0.02	0.15
Income 10,000-14,999	0.05	0.21	0.06	0.24	0.03	0.18
Income 15,000-19,999	0.06	0.24	0.07	0.26	0.05	0.22
Income 20,000-29,999	0.11	0.31	0.11	0.31	0.10	0.30
Income 30,000-39,999	0.12	0.32	0.12	0.33	0.12	0.32
Income 40,000-49,999	0.11	0.32	0.11	0.31	0.12	0.32
Income 50,000-59,999	0.14	0.34	0.13	0.34	0.14	0.35
Income 60,000-79,999	0.16	0.36	0.15	0.34	0.24	0.43
Income > 80,000	0.21	0.41	0.19	0.39	0.24	0.43
Household size	2.89	1.36	2.97	1.34	2.79	1.38
Immigrant	0.10	0.30	0.10	0.30	0.10	0.30
Married	0.54	0.5	0.57	0.5	0.51	0.50
Pregnant	-	-	0.06	0.23	-	-
Depression (scaled 0 to 8)	0.65	1.85	0.81	2.05	0.47	1.58
Age	29.42	5.77	29.38	5.69	29.49	5.85
Observations	95,408		50,684		44,313	

**Notes.** *Other variables included in the estimated models but not reported here include: dummies indicating ethnicity, province of residence, cycle of the data, and age of respondents.* <sup>†</sup>*Cigarettes per day calculated over daily smokers only.*

**Table 2:** EFFECTS OF PRICES FACED DURING YOUTH ON SMOKING INITIATION.

	Age smoked whole cigarette		Age started smoking daily		Probability of initiation	
	male	female	male	female	male	female
<b>Price at age 14</b>	0.035*** (0.01)	0.035*** (0.01)	0.014*** (0.01)	0.017*** (0.01)	-0.039*** (0.01)	-0.023* (0.01)
Observations	29,501	32,639	20,319	22,640	44,321	50,687
<b>Average price ages 14–16</b>	0.044*** (0.01)	0.037*** (0.01)	0.012 (0.01)	0.022*** (0.006)	-0.008 (0.01)	-0.062*** (0.02)
Observations	29,390	32,552	20,247	22,594	44,100	50,439
<b>Average price ages 12–18</b>	0.067*** (0.00)	0.054*** (0.01)	0.023** (0.01)	0.028*** (0.01)	-0.044 (0.04)	-0.034 (0.03)
Observations	25,132	28,216	17,254	19,519	37,991	43,932

**Notes.** Table shows effects of various average prices faced during youth on age of experimentation with smoking, age of initiation into daily smoking, and probability of ever initiating into daily smoking. Each cell denotes a separate regression. Parameter estimates are expressed as elasticities. Columns labeled “Probability of initiation” display effect of prices on the probability the respondent reports initiation by upper age in price range, for example, in the model for prices averaged over ages 12 through 18, by age 18. Standard errors are in parentheses and are robust and clustered at the province–cycle level. All models also control for immigration status, marital status, country of birth, household size, education, age, family income, province of residence, depression, pregnancy, and cycle of the CCHS. \*\*\*, \*\*, \* denote significance at the 1%, 5% and 10% levels.

**Table 3:** EFFECT OF TOBACCO PRICES ON ADULT SMOKING PATTERNS.

	Smoking probability		Number of cigarettes	
	male	female	male	female
Contemporaneous price	0.082 (0.12)	0.101 (0.24)	-0.307*** (0.09)	-0.079 (0.10)
<b>Price at age 14</b>	0.024 (0.04)	-0.010 (0.05)	-0.019 (0.01)	-0.023* (0.01)
Observations	44,313	50,684	12,044	11,968
Contemporaneous price	0.059 (0.11)	0.107 (0.24)	-0.305** (0.10)	-0.072 (0.10)
<b>Average price ages 14–16</b>	-0.009 (0.03)	-0.092* (0.05)	-0.006 (0.02)	-0.034* (0.02)
Observations	44,092	50,436	12,001	11,951
Contemporaneous price	0.149 (0.16)	-0.023 (0.21)	-0.30*** (0.09)	-0.023 (0.11)
<b>Average price ages 12–18</b>	-0.092* (0.05)	-0.093* (0.05)	-0.047*** (0.02)	-0.031 (0.03)
Observations	37,987	43,929	10,332	10,472

**Notes.** Each cell denotes a separate regression. Parameter estimates are expressed as elasticities. Smoking probability is estimated using linear probability and OLS is used to estimate number of cigarettes. Standard errors in parentheses are robust and clustered at the province–cycle level. All models also control for immigration status, marital status, country of birth, household size, education, age, family income, province of residence, depression, pregnancy, and cycle of the CCHS. \*\*\*, \*\*, \* denote significance at the 1%, 5% and 10% levels.

**Table 4:** EFFECT OF TOBACCO PRICES ON ADULT SMOKER TYPE.

	Never smoker		Former smoker		Current smoker	
	male	female	male	female	male	female
Contemporaneous price	0.099 (0.20)	0.076 (0.15)	0.252 (0.21)	0.037 (0.18)	-0.335*** (0.13)	-0.139 (0.16)
<b>Price at age 14</b>	-0.007 (0.03)	0.012 (0.03)	0.009 (0.03)	0.013 (0.03)	-0.002 (0.03)	-0.03 (0.03)
Observations	44,263	50,667	44,263	50,667	44,263	50,667
Contemporaneous price	0.101 (0.20)	0.055 (0.15)	0.254 (0.21)	0.037 (0.17)	-0.339*** (0.13)	-0.112 (0.16)
<b>Average price ages 14–16</b>	0.041 (0.04)	0.054 (0.04)	-0.015 (0.04)	0.024 (0.03)	-0.025 (0.05)	-0.095** (0.04)
Observations	44,042	50,420	44,042	50,420	44,042	50,420
Contemporaneous price	0.230 (0.21)	-0.030 (0.18)	0.081 (0.23)	0.212 (0.18)	-0.296*** (0.15)	-0.209 (0.14)
<b>Average price ages 12–18</b>	0.073 (0.07)	0.076* (0.05)	0.025 (0.06)	0.012 (0.06)	-0.094 (0.06)	-0.105* (0.06)
Observations	37,943	43,914	37,943	43,914	37,943	43,914

**Notes.** *Multinomial logit estimates of smoker type at time of CCHS interview. A separate model is estimated for each measure of youth price (price at age 14, average price over ages 14 through 16, and average prices over ages 12 through 18). Coefficients expressed as elasticities. Standard errors in parentheses are robust and clustered at the province–cycle level. All models also control for immigration status, marital status, country of birth, household size, education, age, family income, province of residence, depression, pregnancy, and cycle of the CCHS. \*\*\*, \*\*, \* denote significance at the 1%, 5% and 10% levels.*

**Table 5:** MONTE CARLO RESULTS.

	mean	s.d.	s.e.
<b>Coefficient estimates (true: <math>\beta = -0.100</math>):</b>			
$\hat{\beta}_{true}$	-0.099	0.016	0.016
$\hat{\beta}_{error}$	-0.090	0.016	0.016
$\hat{\beta}_{error} / \hat{\beta}_{true}$	0.900	0.073	
<b>t-ratios against false null <math>\beta = 0</math>:</b>			
$\hat{t}_{true}$	-6.222	1.000	
$\hat{t}_{error}$	-5.598	1.000	

**Notes.** 90,000 observations in each of 10,000 replications. Estimates from model with true prices are denoted with a subscript “true” and models with simulated measurement error arising from cross-province moves are denoted with a subscript “error.” s.d. denotes observed standard deviation and s.e. estimated standard errors.